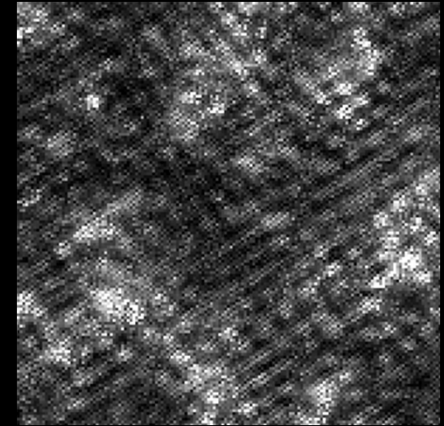
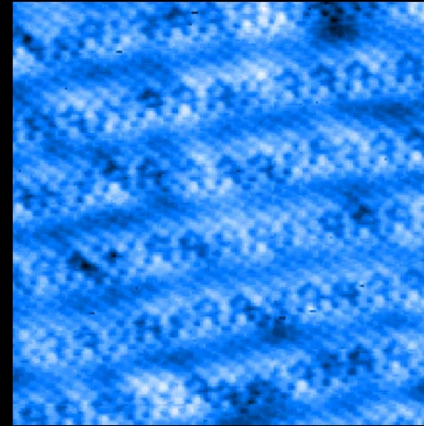
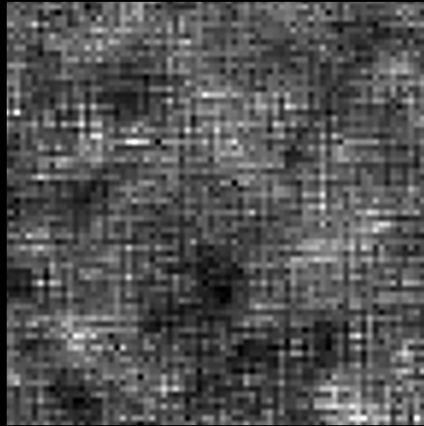
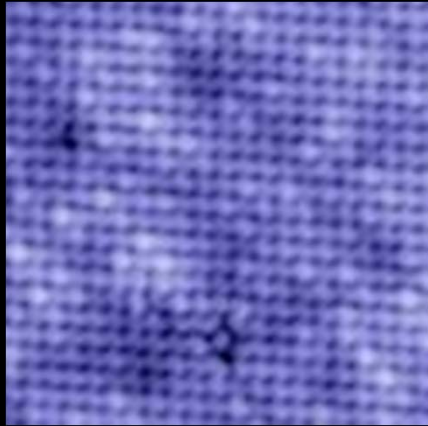


STM imaging of broken symmetry states in cuprate superconductors



STM Experiments:

Ilija Zeljkovic

Liz Main

Tess Williams

Yi Yin

Martin Zech

Jenny Hoffman

Harvard Physics

Michael Boyer

Kamalesh Chatterjee

Doug Wise

Eric Hudson

MIT Physics

Bi-2212 Samples:

Jinsheng Wen

Zhijun Xu

Genda Gu

Brookhaven

Takeshi Kondo

Bi-2201 Samples:

T. Takeuchi

Hiroshi Ikuta

Nagoya University

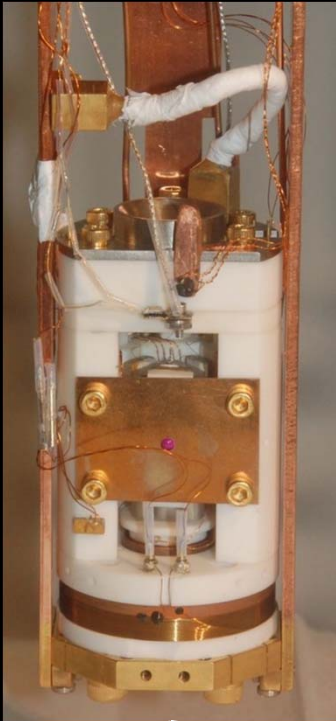
Thanks to:



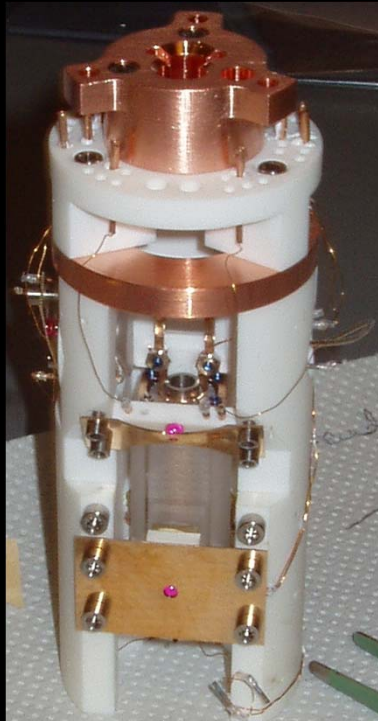
Hoffman/Hudson Lab Local Probes



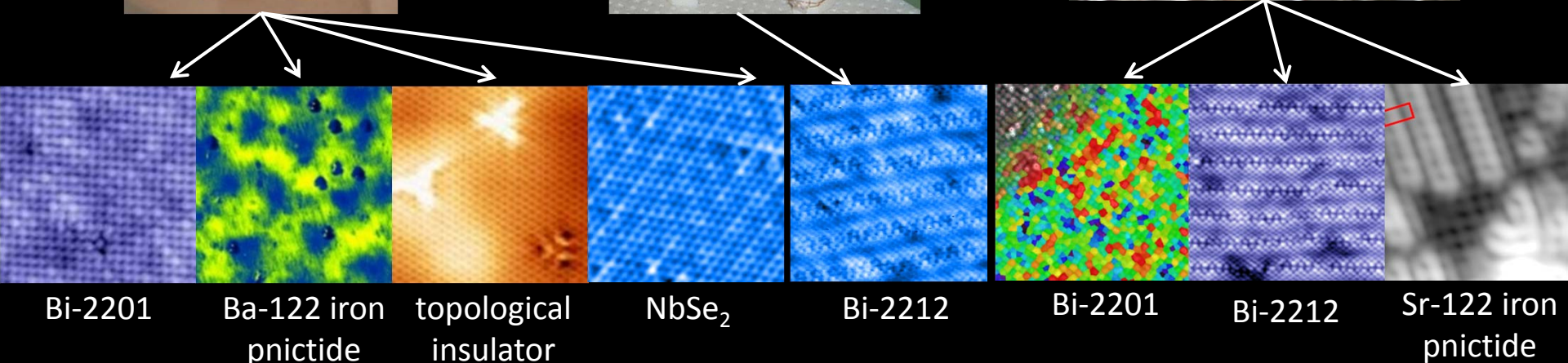
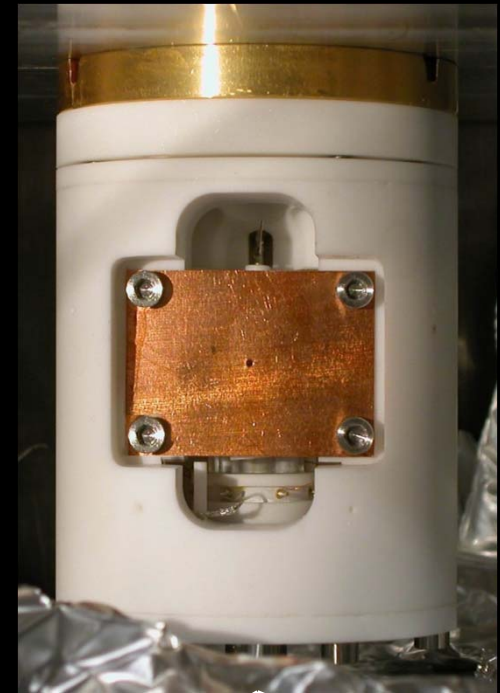
Hoffman Lab STM
(9T v, 3T h; 1-40K)



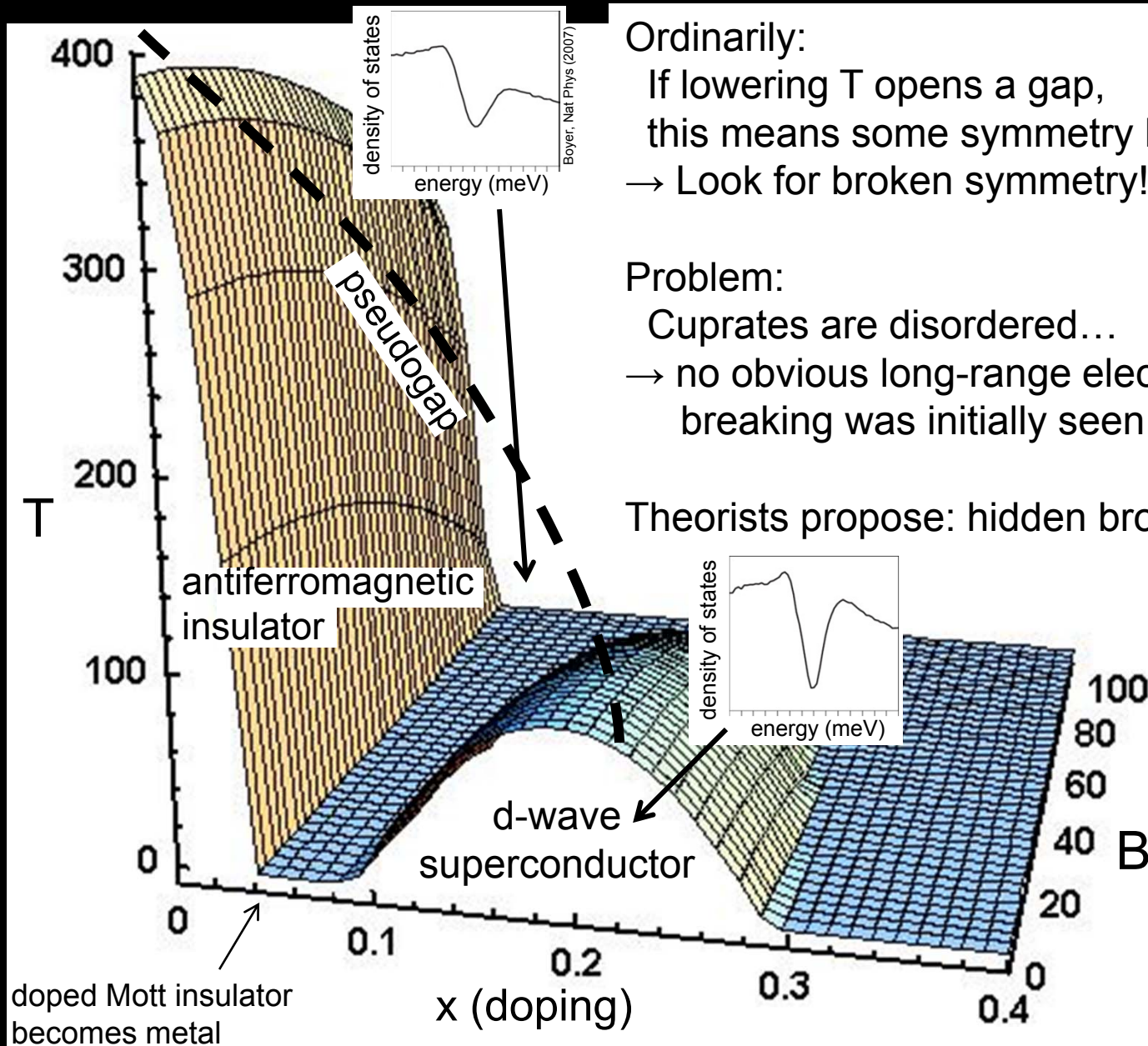
Hoffman Lab UHV STM
(9T v, 3T h; 2-80K)



Hudson Lab UHV STM
(4-120K)



Cuprate Phase Diagram



Ordinarily:

If lowering T opens a gap,
this means some symmetry has been broken.
→ Look for broken symmetry!

Problem:

Cuprates are disordered...
→ no obvious long-range electronic symmetry
breaking was initially seen experimentally

Theorists propose: hidden broken symmetries!

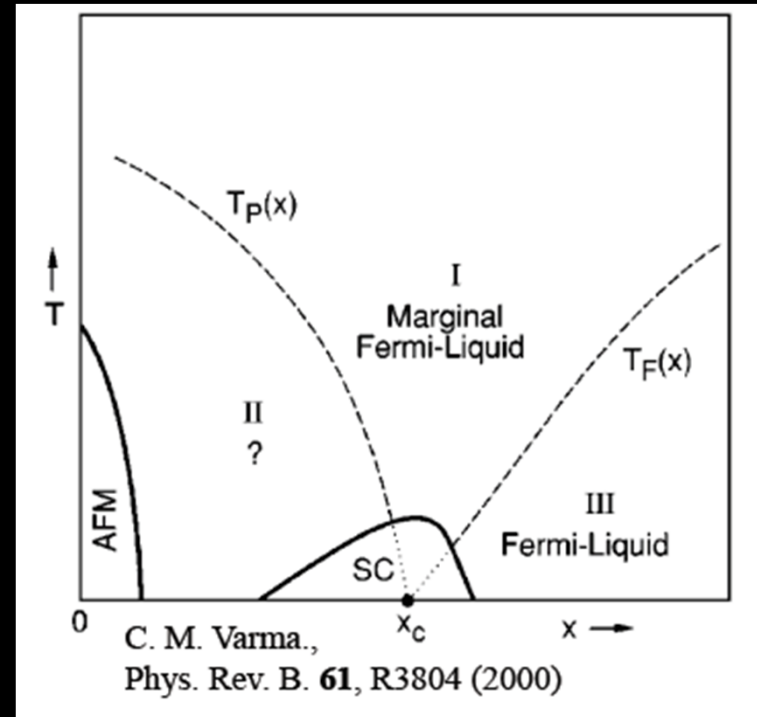
Varma: sub-unit-cell orbital ordering



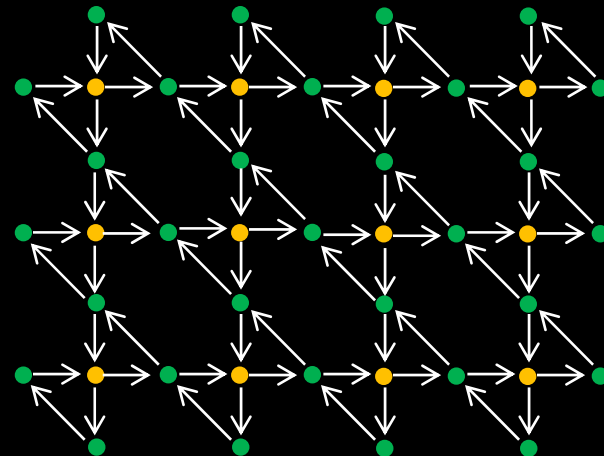
Underdoped cuprates have a hitherto undetected broken symmetry phase which does not break translation symmetry.

The non-Fermi liquid “normal” state is the **quantum critical regime**, in which order parameter fluctuations strongly scatter the quasiparticles.

The critical fluctuations “mediate” d-wave pairing.



Breaks **time-reversal** and **inversion** but not the produce of TI.





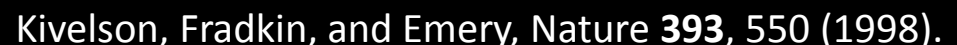
The diagram is a plot of Temperature (y-axis) versus $\hbar\bar{\omega}$ (x-axis). It shows the following regions and phase transitions:

- Crystal**: Located at low $\hbar\bar{\omega}$ and low Temperature.
- Smectic**: Located at low $\hbar\bar{\omega}$ and intermediate Temperature.
- Nematic**: Located at intermediate $\hbar\bar{\omega}$ and intermediate Temperature.
- Superconducting**: Located at intermediate $\hbar\bar{\omega}$ and low Temperature.
- Isotropic (disordered)**: Located at high $\hbar\bar{\omega}$ and high Temperature.

Phase transition lines are labeled as follows:

- C_3 : Boundary between Crystal and Smectic.
- C_2 : Boundary between Smectic and Nematic.
- C_1 : Boundary between Nematic and Superconducting.

breaks long-range **rotation** & **translation**



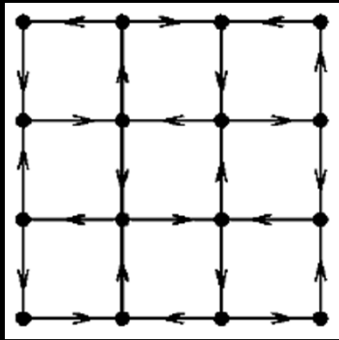
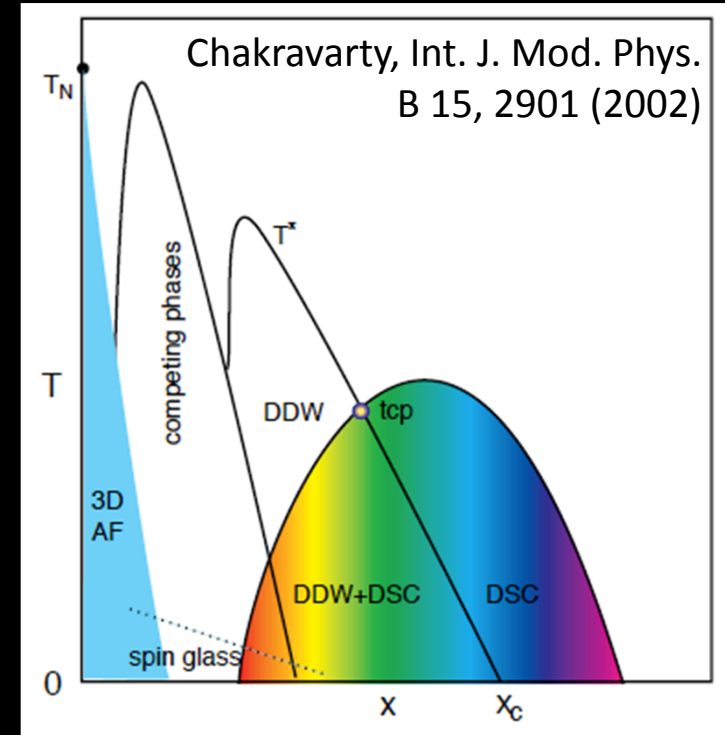
Nayak & Chakravarty: d-density wave



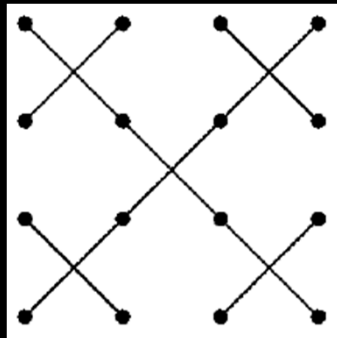
The pseudo-gap has broken translational symmetry and a corresponding partial gapping and restructuring of the FS.

The order parameter is “hidden” in the sense that it is intrinsically difficult to see directly in experiment.

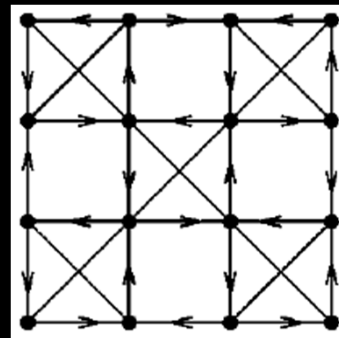
Breaks **time reversal** and **translational** symmetry, but preserves the product.



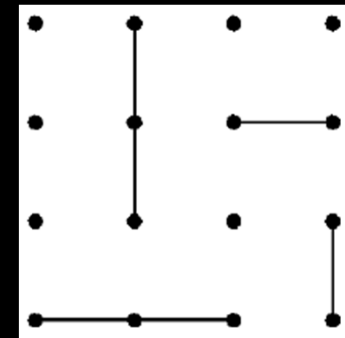
$$d_{x^2-y^2}$$



$$d_{xy}$$



$$d_{x^2-y^2} + i d_{xy}$$



incommensurate,
T-preserving

$$d_{x^2-y^2}$$

Some broken symmetry states in the pseudo-gap
(for which there is direct experimental evidence):

Electron Nematic: Uniform (translation symmetry unbroken)
Fluid (metallic or superconducting)
With spontaneously broken point group symmetry
(e.g. electronic orthorhombicity)

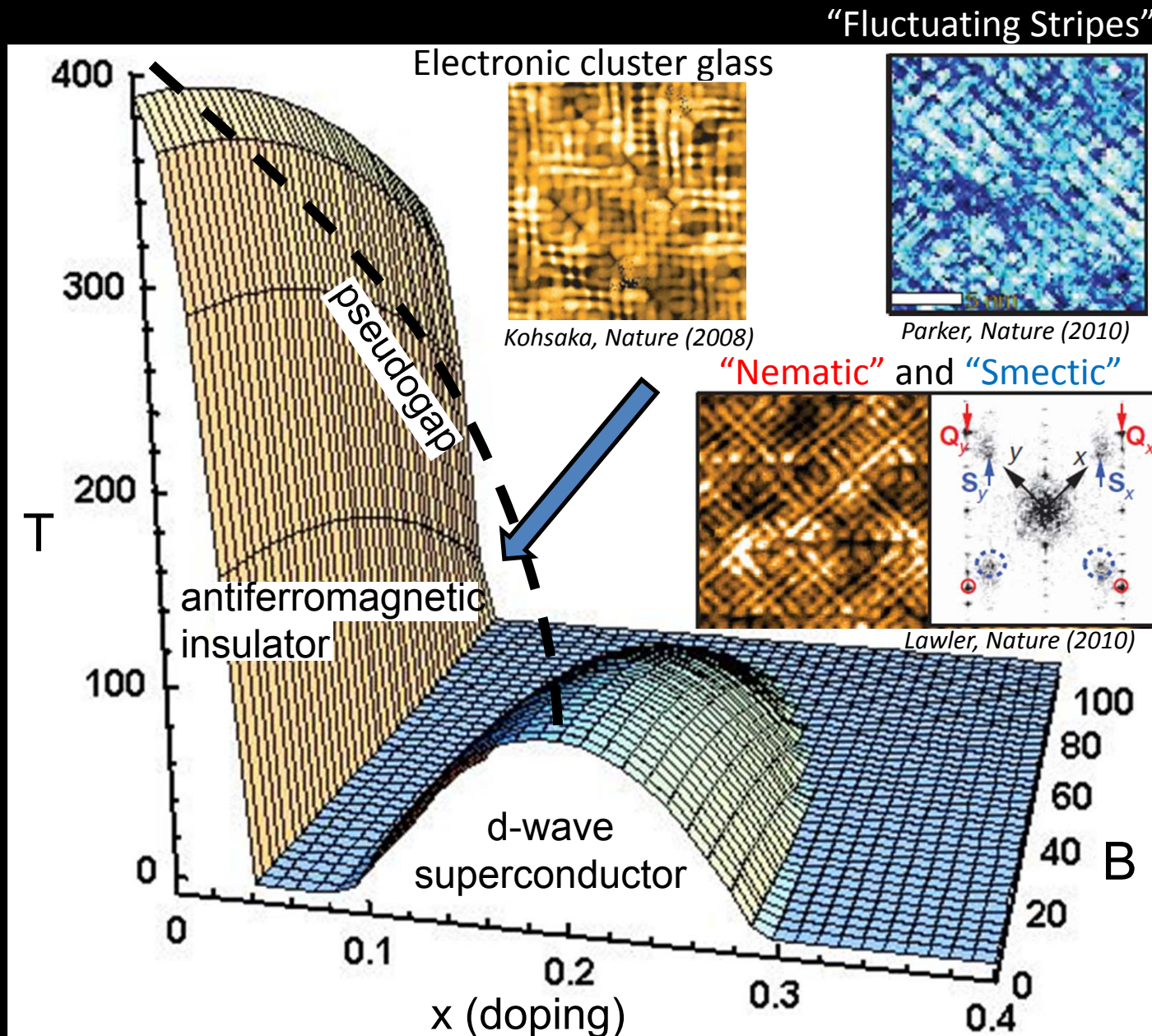
Electron smectic: Unidirectional metallic (or superconducting)
charge density wave

Stripe phase: Unidirectional colinear spin density wave with
coexisting CDW with $\frac{1}{2}$ the wavelength
(Both insulating and conducting versions)
In the presence of weak disorder, this becomes a “cluster
spin-glass” with only short-range stripe order.

Intra-unit cell antiferromagnet: Breaks time-reversal and some
point-group symmetries (Chandra's-loops)

d-density wave: Breaks time reversal and translational symmetry,
but preserves the product.

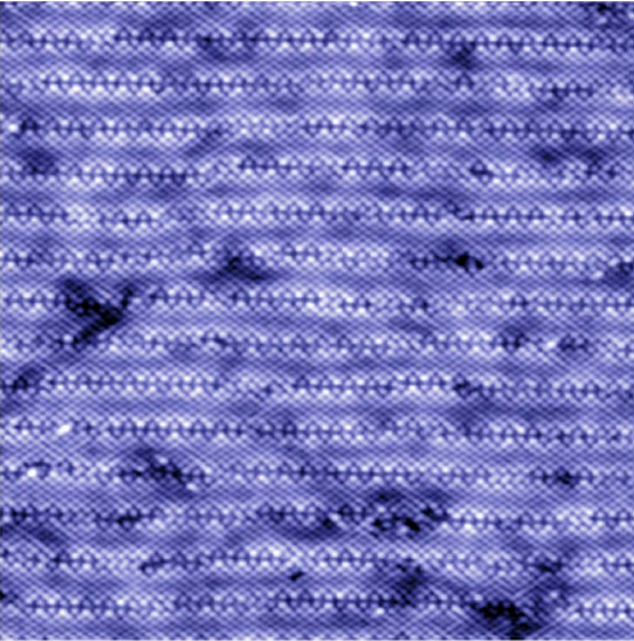
Lots of candidates for pseudogap from STM



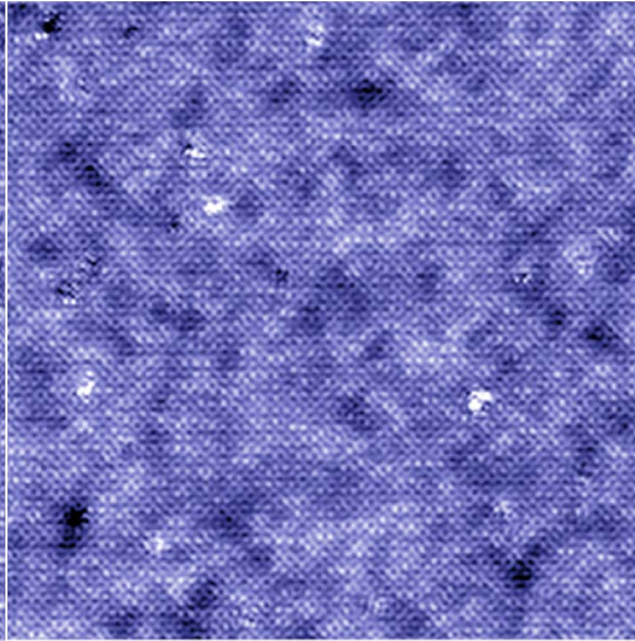
? Structural \leftrightarrow Electronic ?



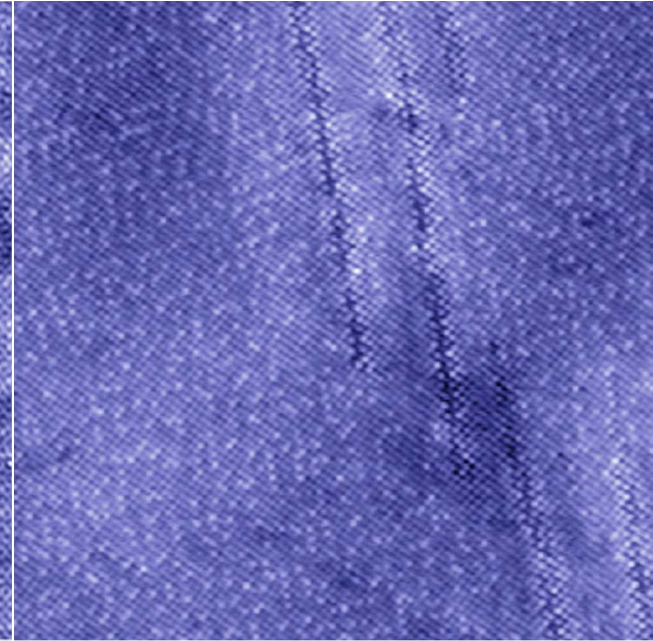
Bi-2212



Bi-2201, Pb-doped



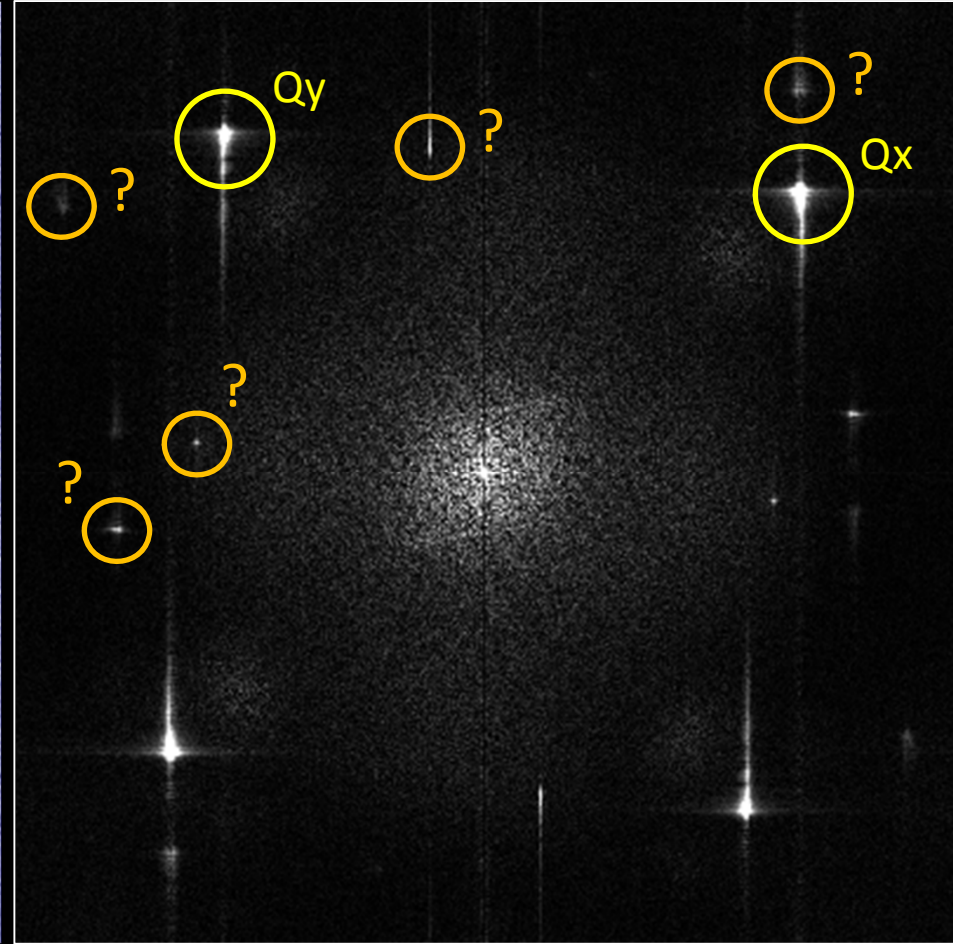
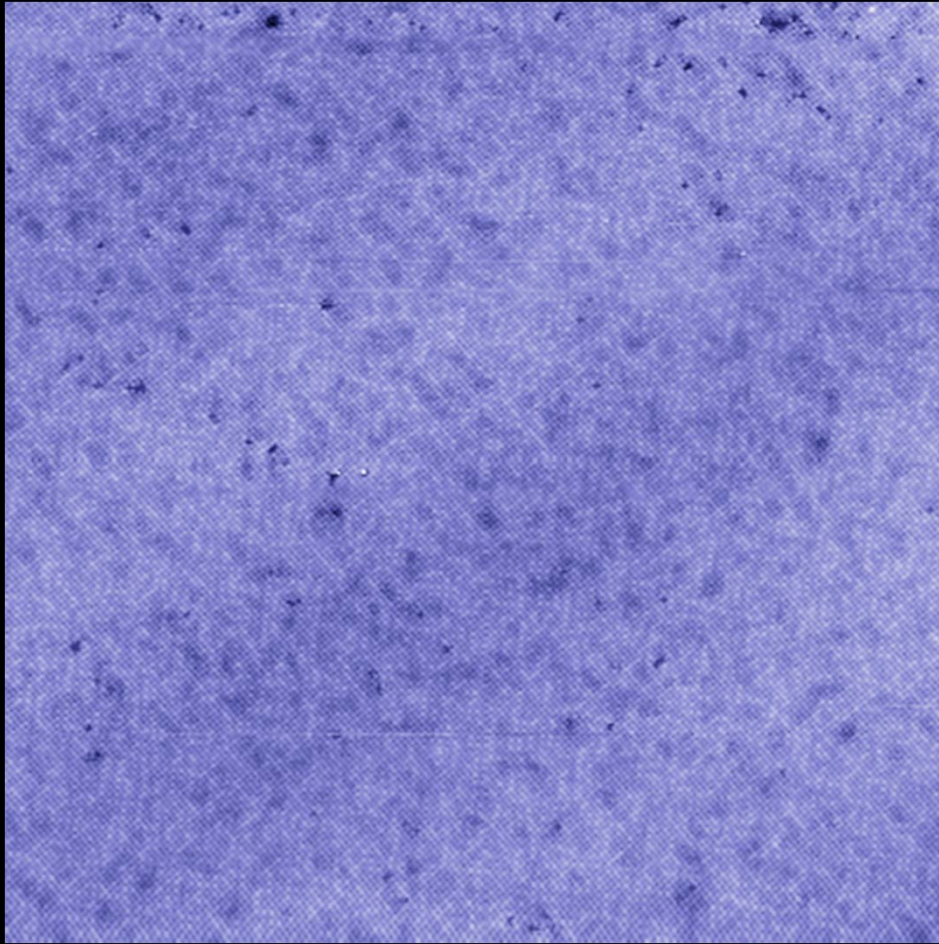
another Bi-2201, Pb-doped



Raw data



(Bi-2201, $T_c=32K$, slightly underdoped)



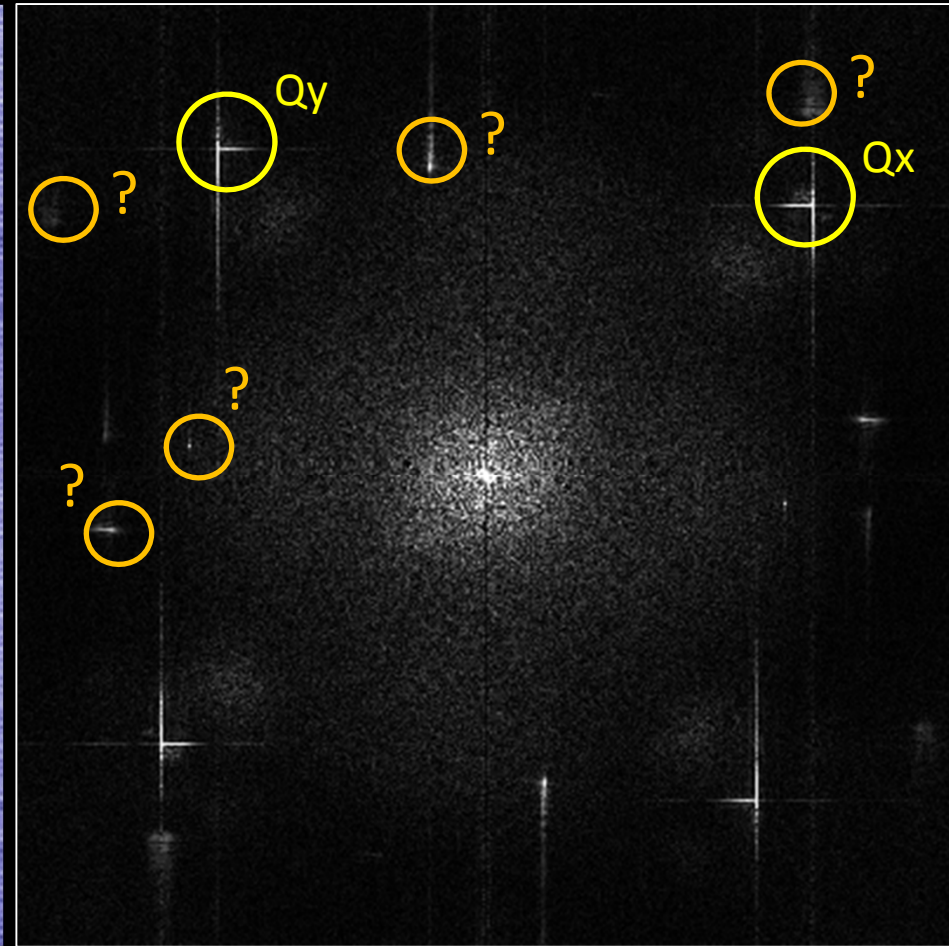
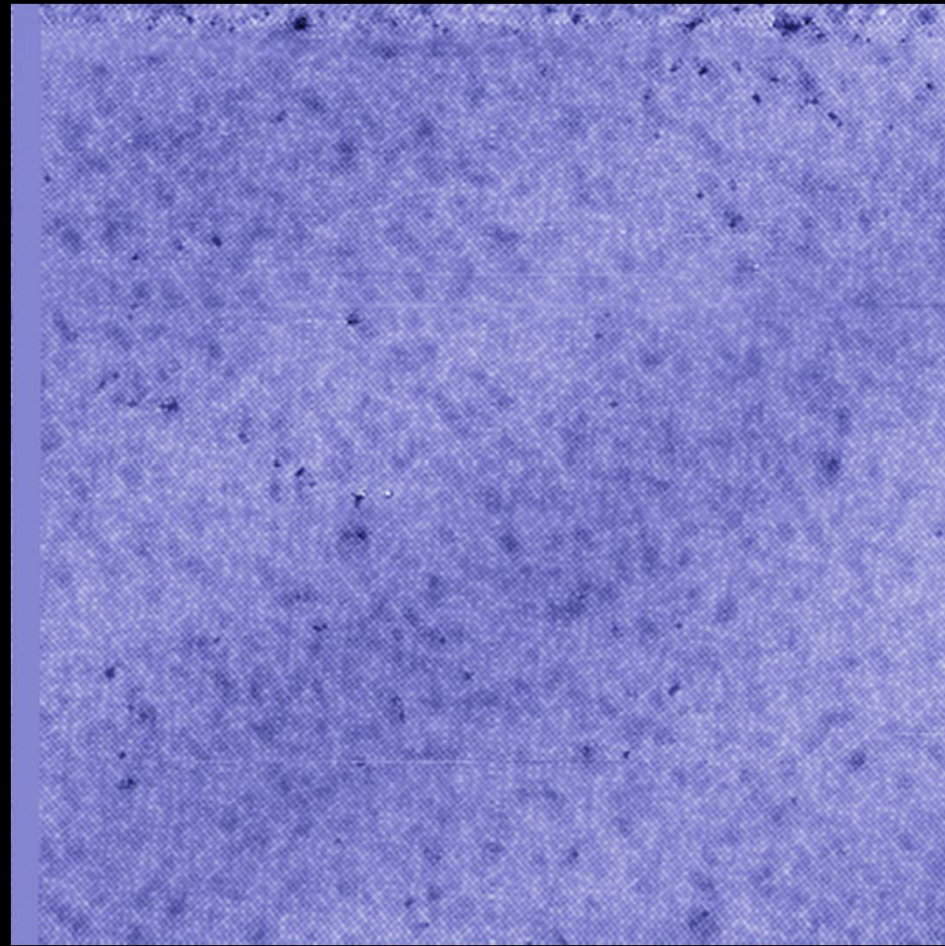
66x66 nm²

Bragg peaks are blurred → need to apply Lawler algorithm to drift-correct!

Drift-corrected data



(Bi-2201, $T_c=32\text{K}$, slightly underdoped)

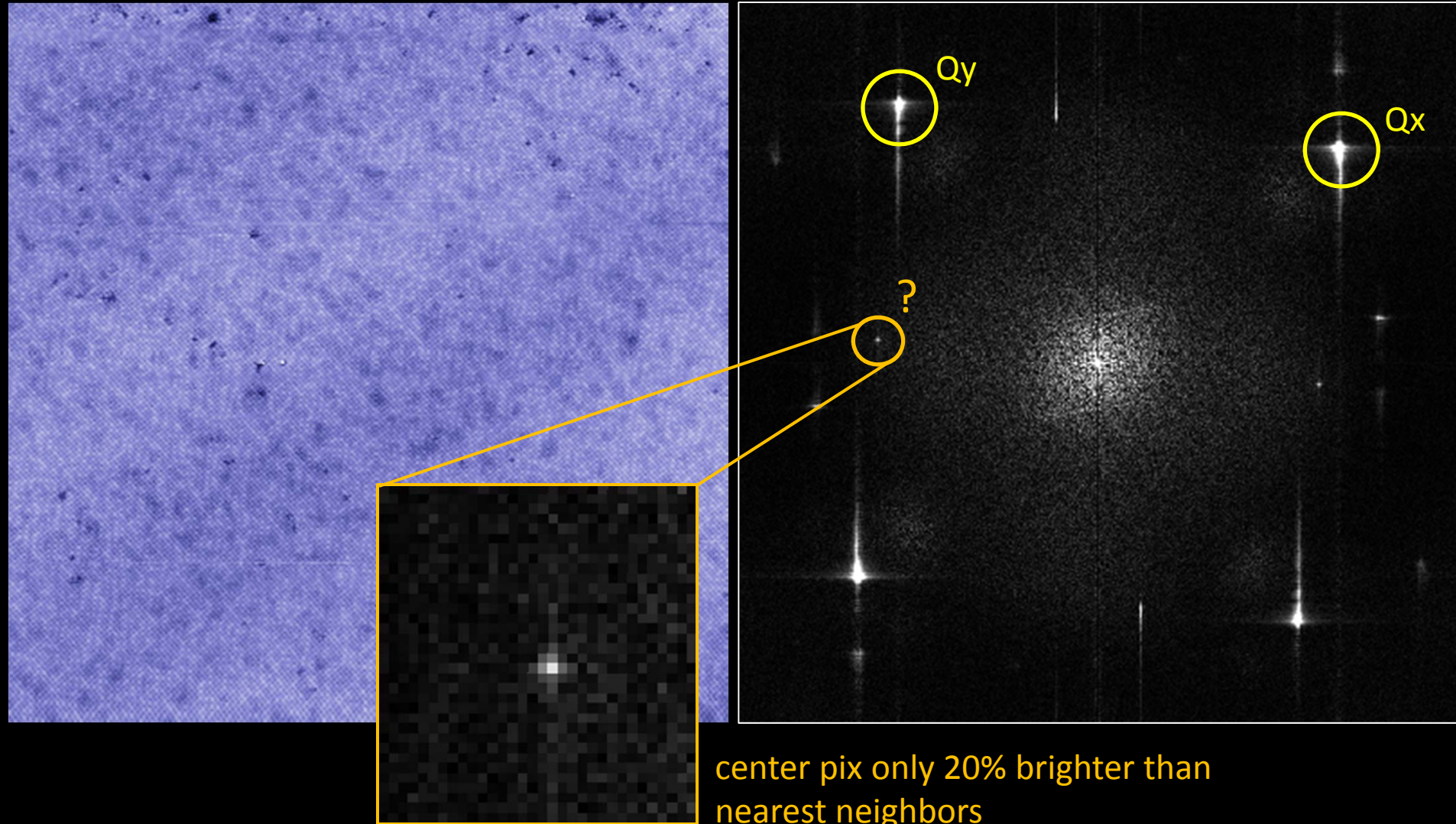


Bragg peaks sharpen up \rightarrow they are true structure
Most other peaks broaden out \rightarrow they are noise

Raw data



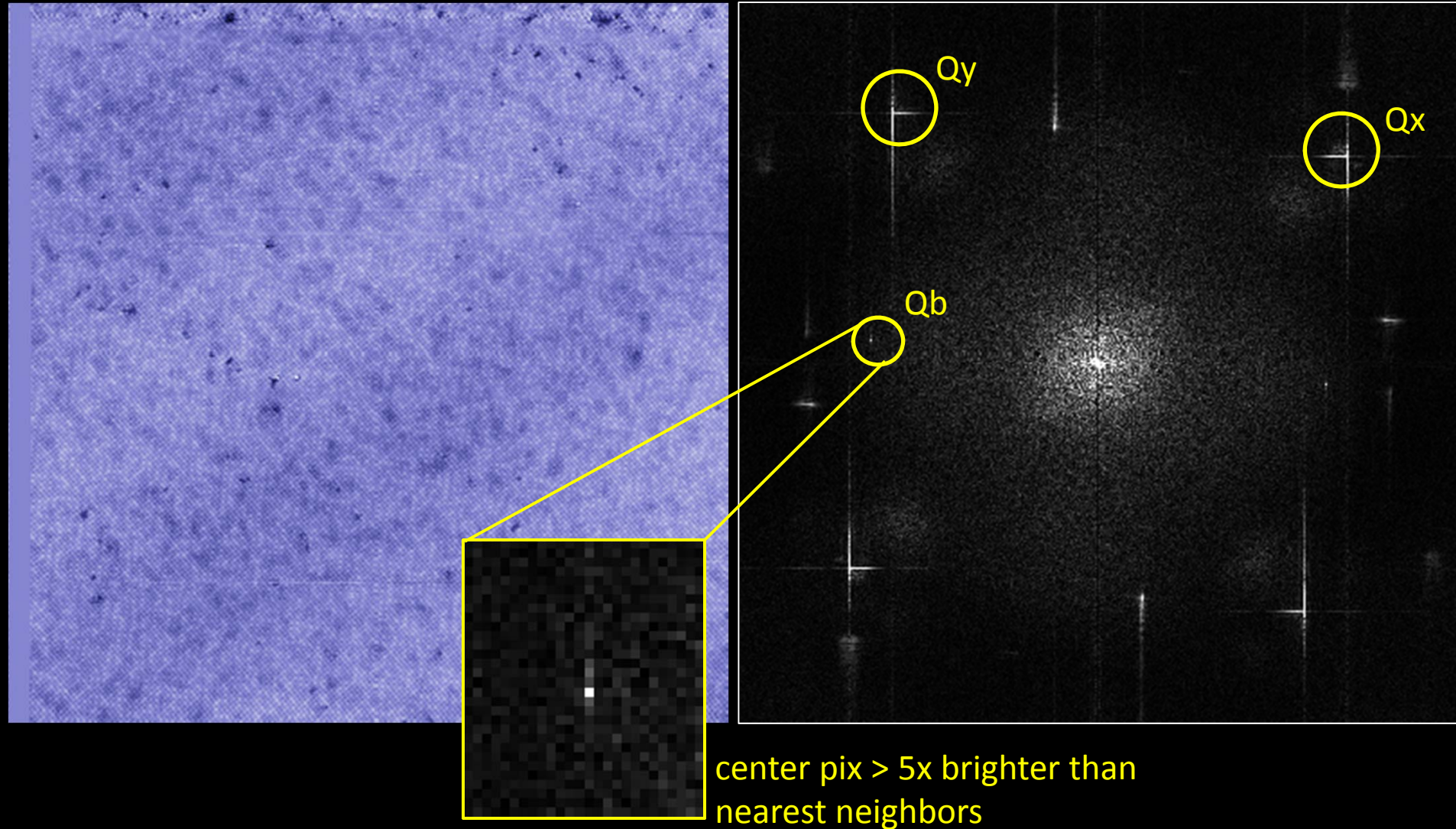
(Bi-2201, $T_c=32K$, slightly underdoped)



Drift-corrected data



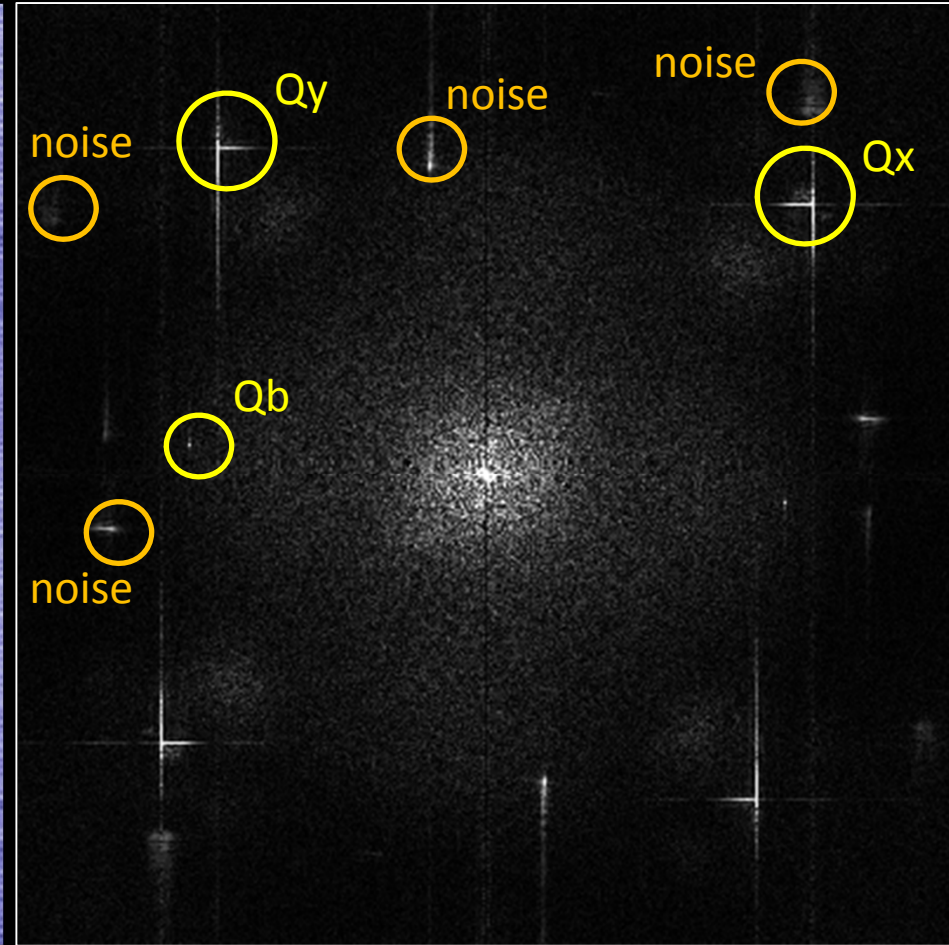
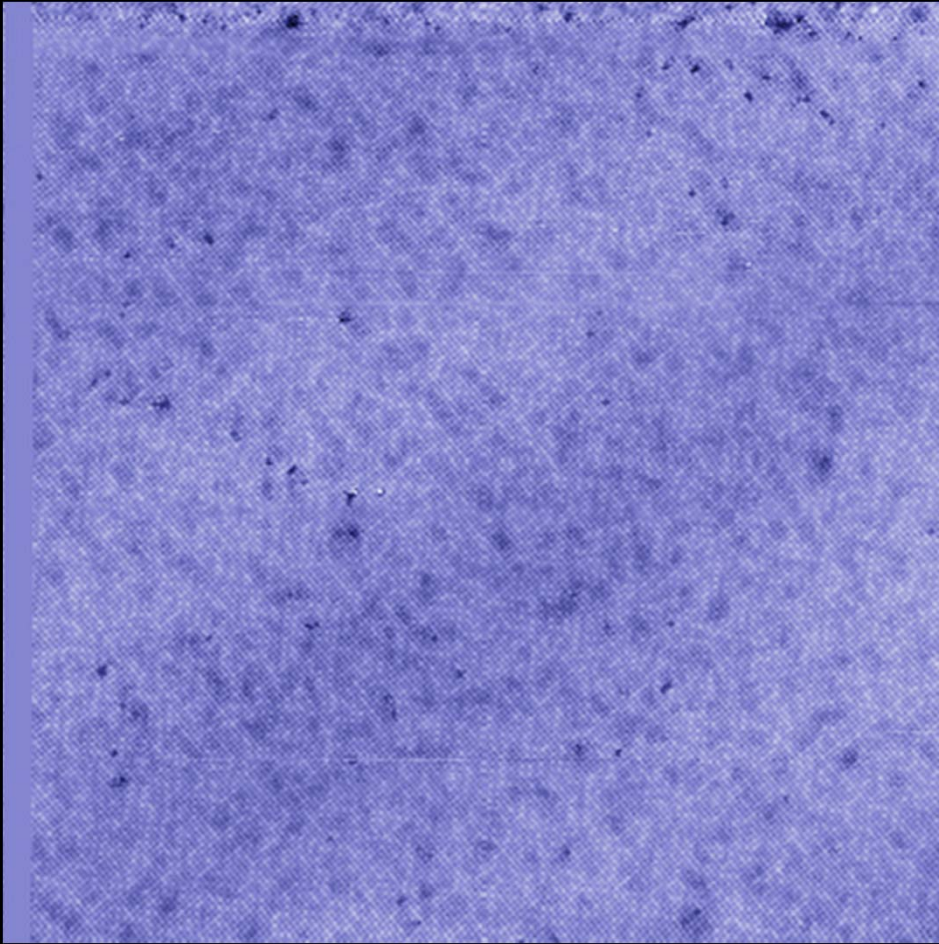
(Bi-2201, $T_c=32K$, slightly underdoped)



Drift-corrected data



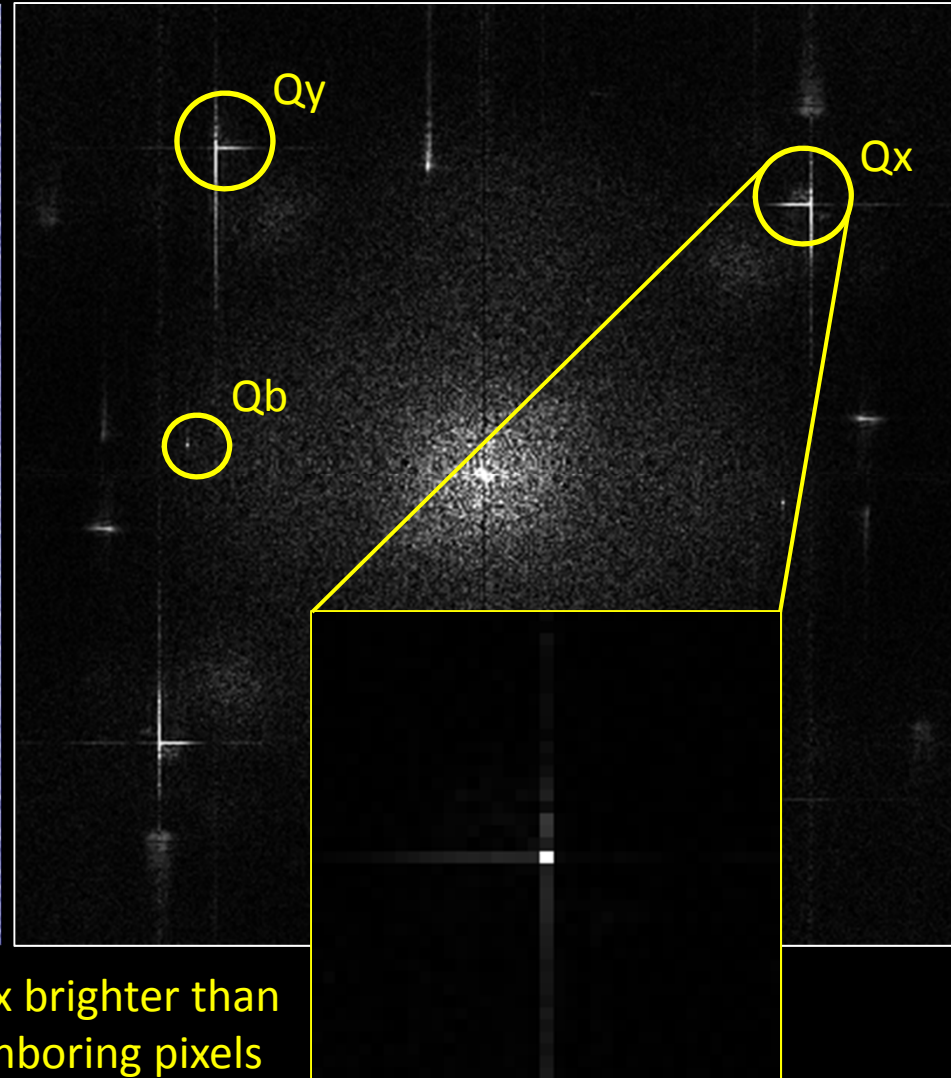
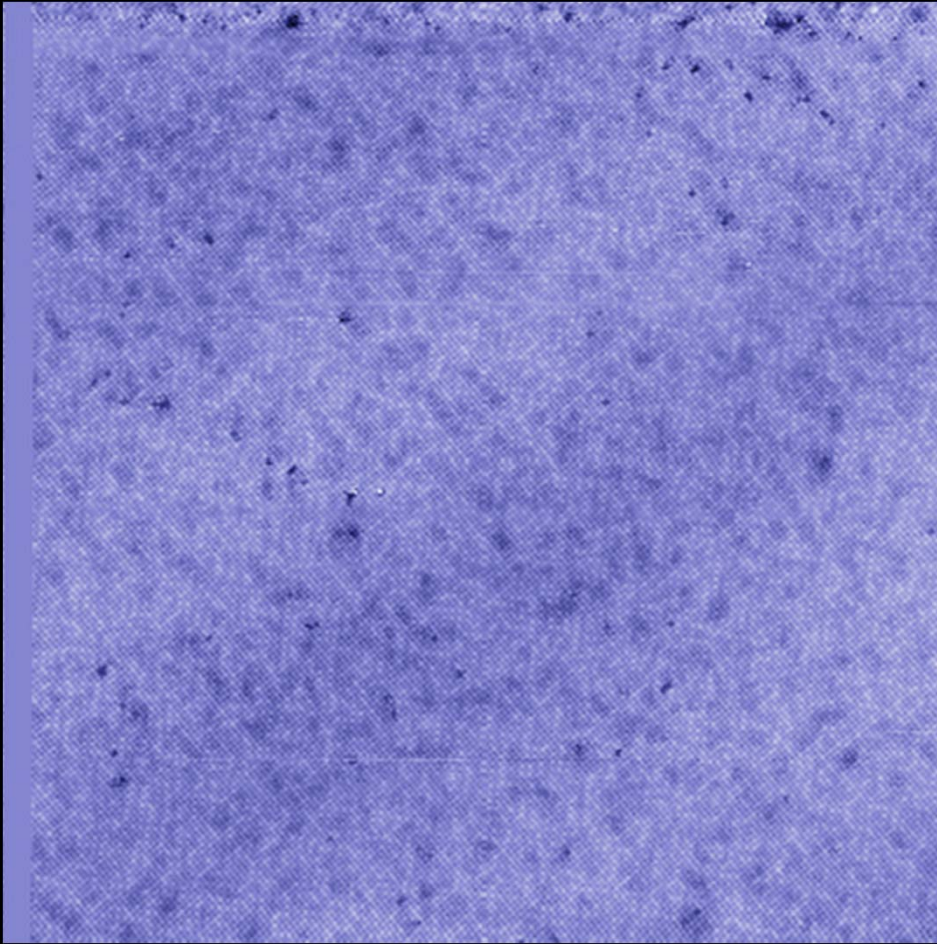
(Bi-2201, $T_c=32\text{K}$, slightly underdoped)



Drift-corrected data



(Bi-2201, $T_c=32\text{K}$, slightly underdoped)



> 10x brighter than
neighboring pixels

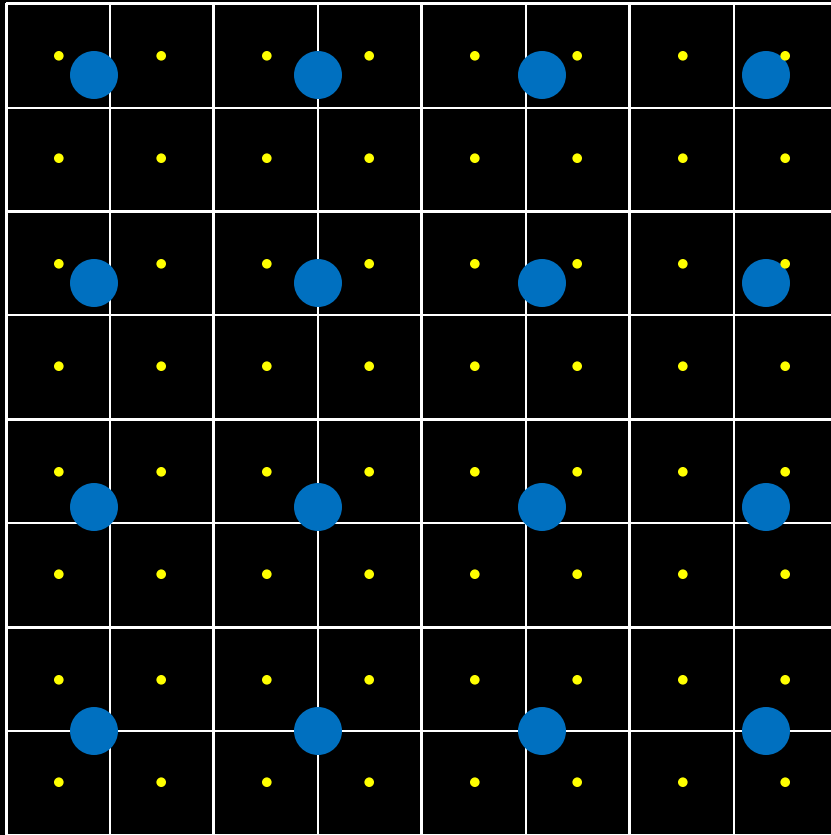
Make Average Unit Cell



— Pixel grid

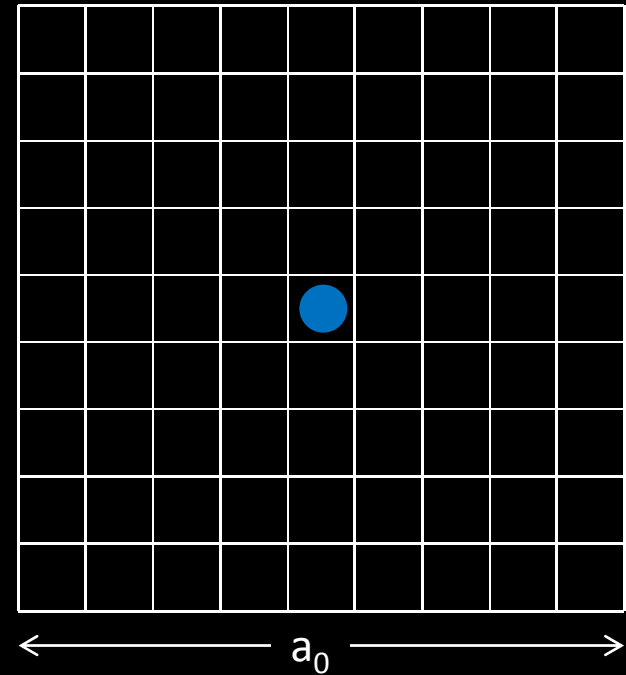
- exact tip location when data acquired

● Bi atom



Make a new grid, one unit cell, but with more pixels than we have in raw data.

Center Bi in center of this unit cell.



Note: data acquisition only slightly better than Nyquist frequency for atoms!

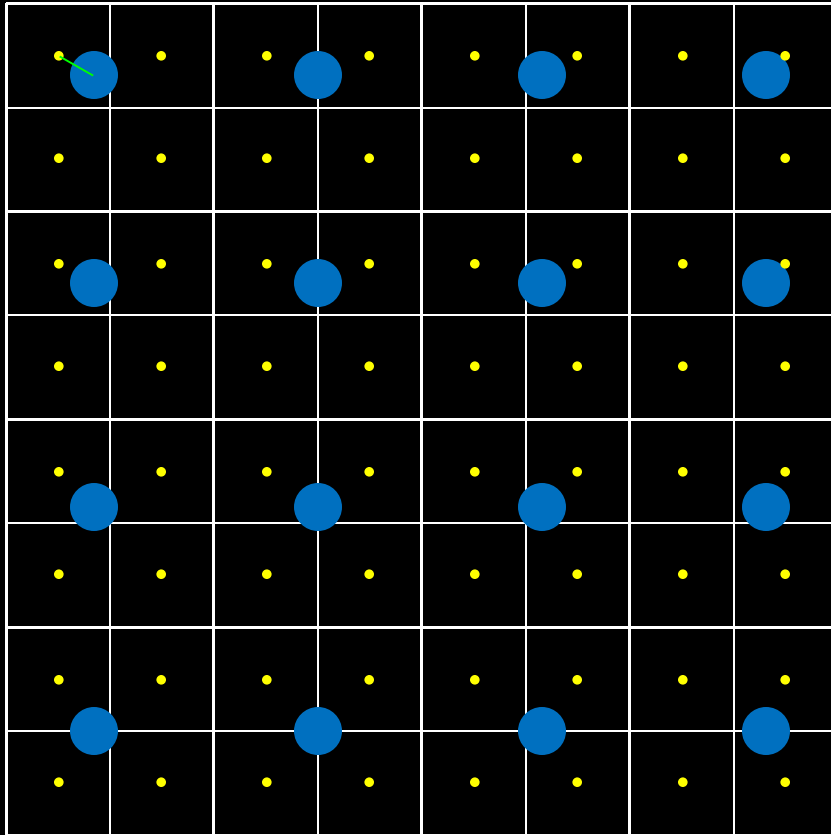
Make Average Unit Cell



— Pixel grid

- exact tip location when data acquired

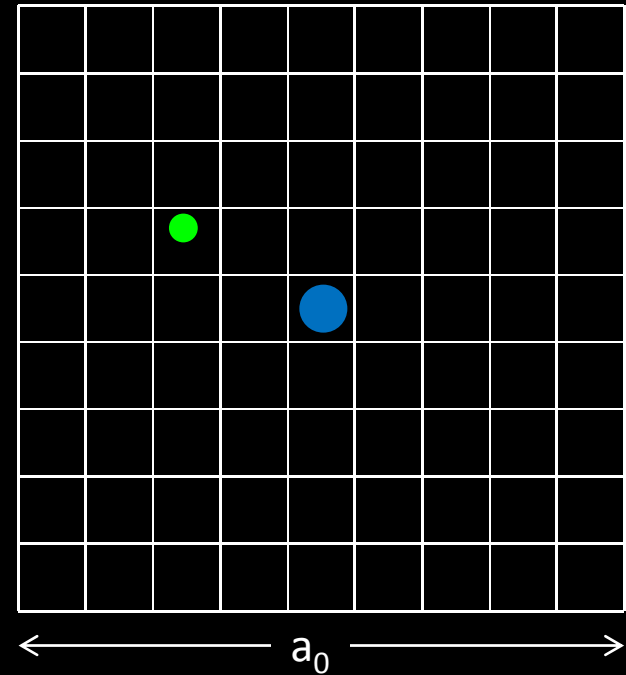
● Bi atom



Make a new grid, one unit cell, but with more pixels than we have in raw data.

Center Bi in center of this unit cell.

Build up a histogram of weight at each sub-unit-cell-resolved location.



Note: data acquisition only slightly better than Nyquist frequency for atoms!

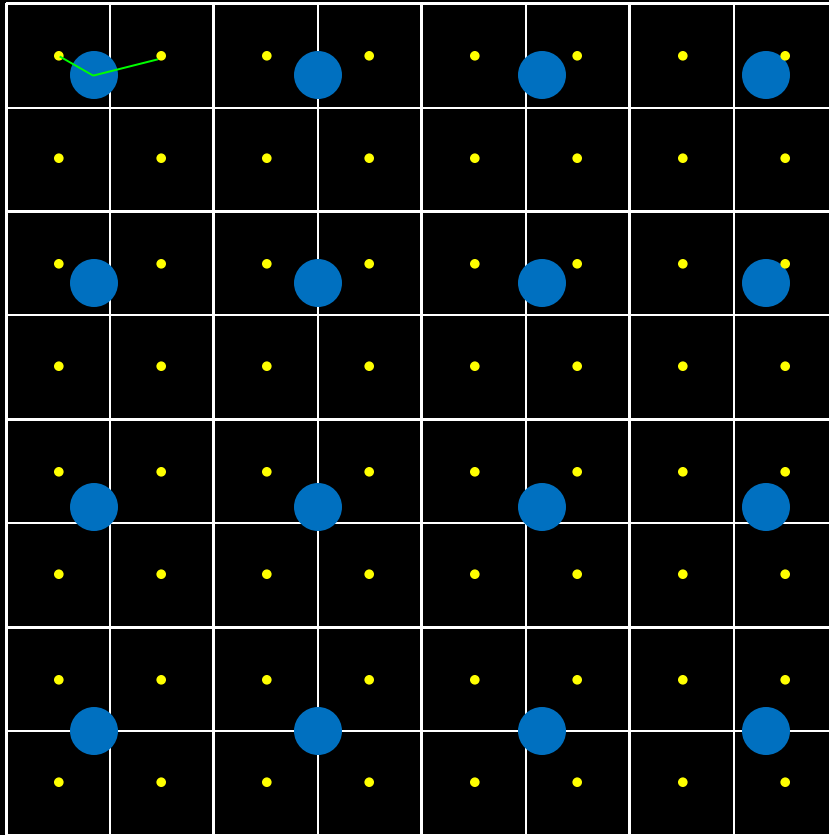
Make Average Unit Cell



— Pixel grid

- exact tip location when data acquired

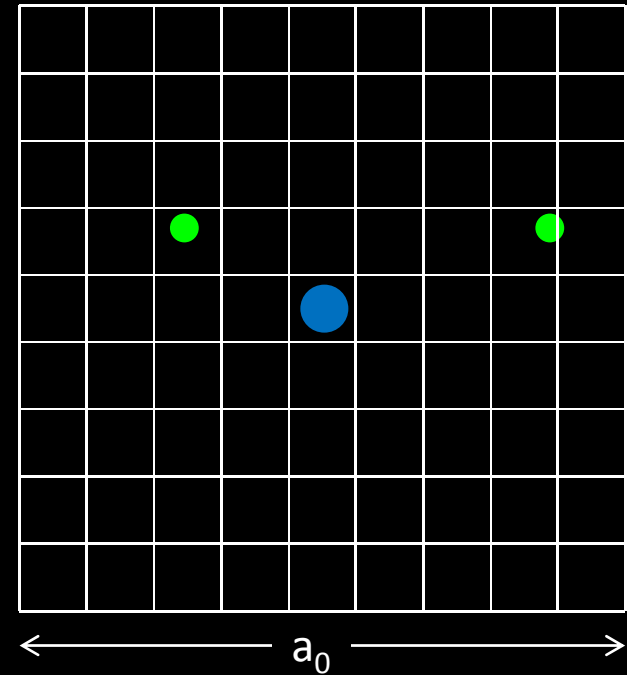
● Bi atom



Make a new grid, one unit cell, but with more pixels than we have in raw data.

Center Bi in center of this unit cell.

Build up a histogram of weight at each sub-unit-cell-resolved location.



Note: data acquisition only slightly better than Nyquist frequency for atoms!

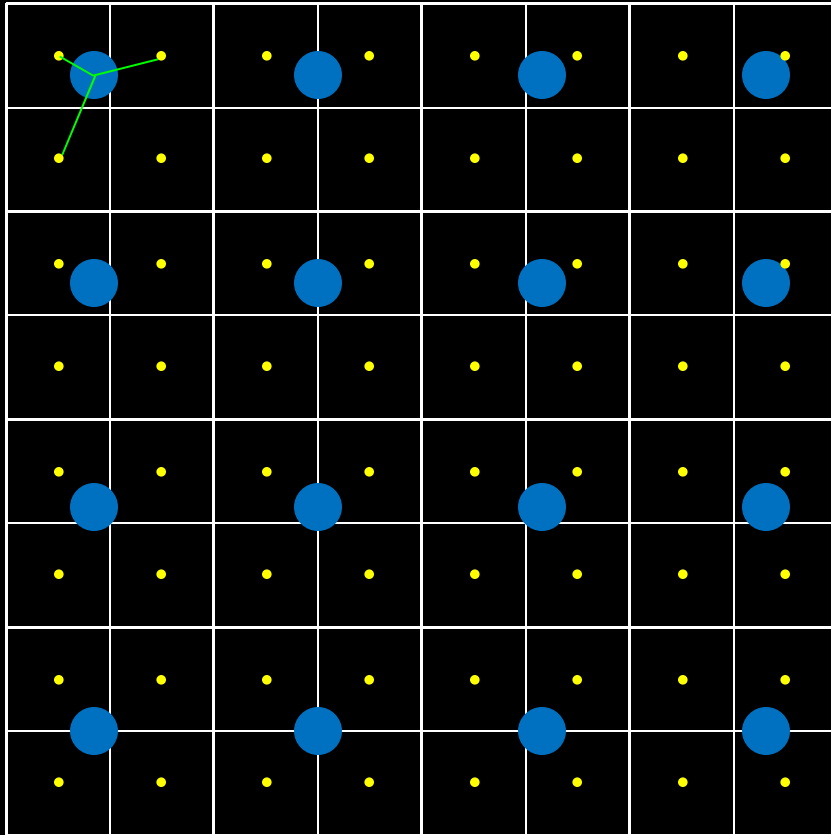
Make Average Unit Cell



— Pixel grid

- exact tip location when data acquired

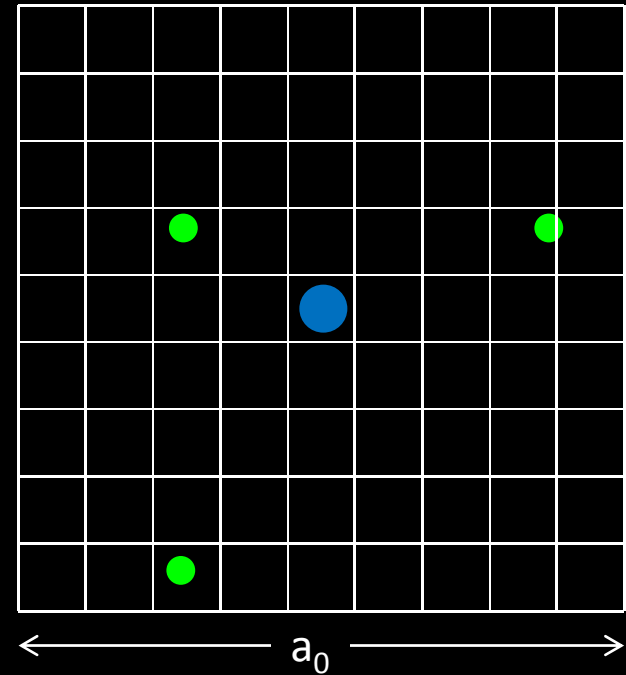
● Bi atom



Make a new grid, one unit cell, but with more pixels than we have in raw data.

Center Bi in center of this unit cell.

Build up a histogram of weight at each sub-unit-cell-resolved location.



Note: data acquisition only slightly better than Nyquist frequency for atoms!

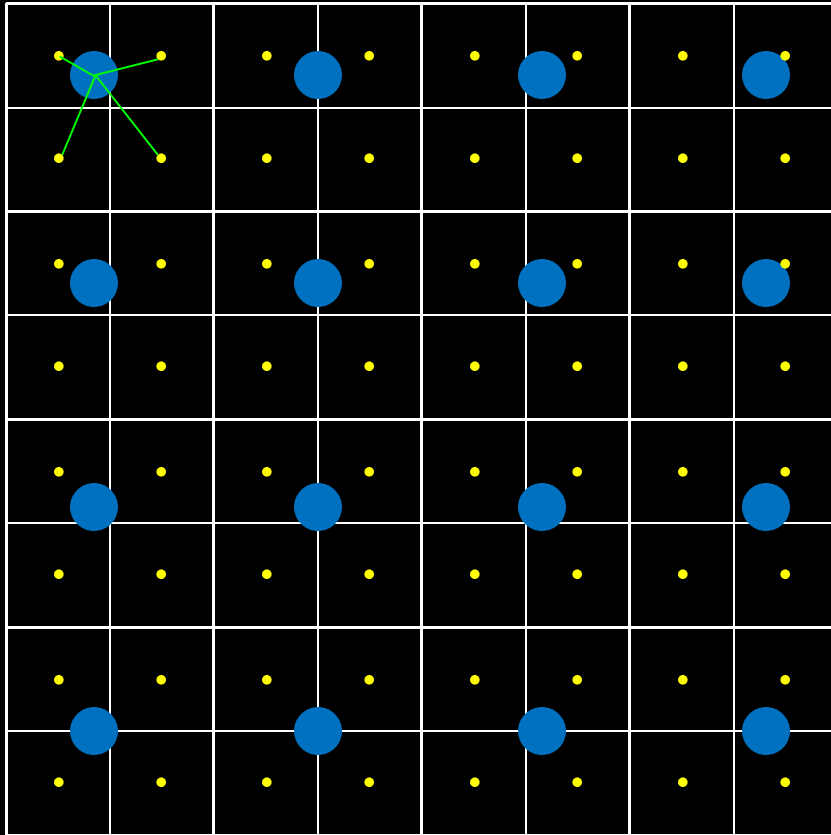
Make Average Unit Cell



— Pixel grid

- exact tip location when data acquired

● Bi atom

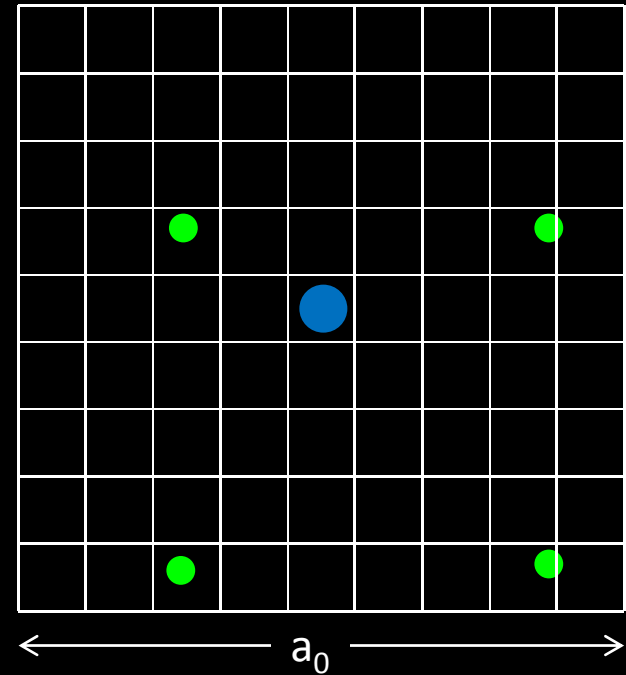


Note: data acquisition only slightly better than Nyquist frequency for atoms!

Make a new grid, one unit cell, but with more pixels than we have in raw data.

Center Bi in center of this unit cell.

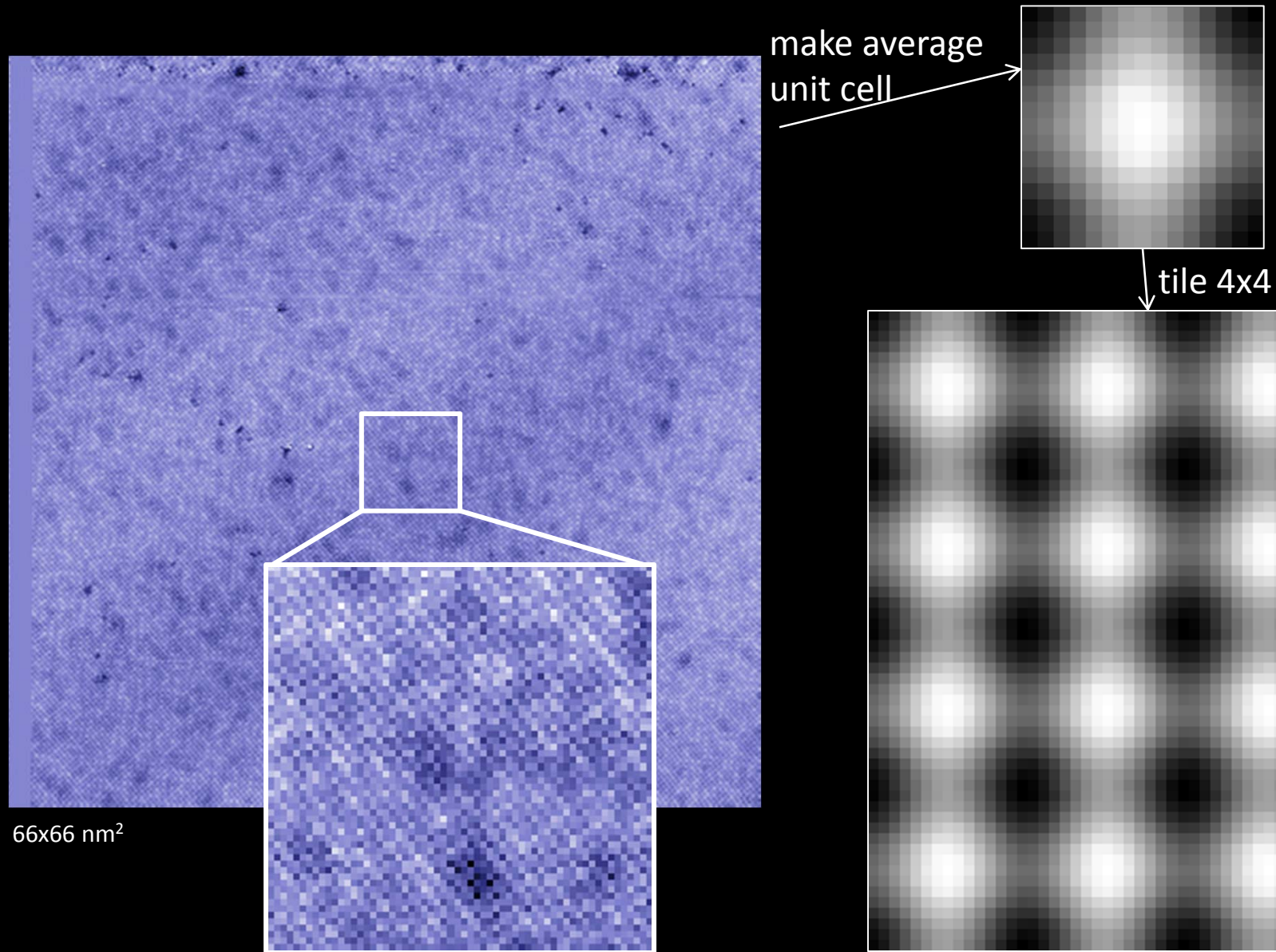
Build up a histogram of weight at each sub-unit-cell-resolved location.



Perfect registry allows sub-unit-cell resolution!

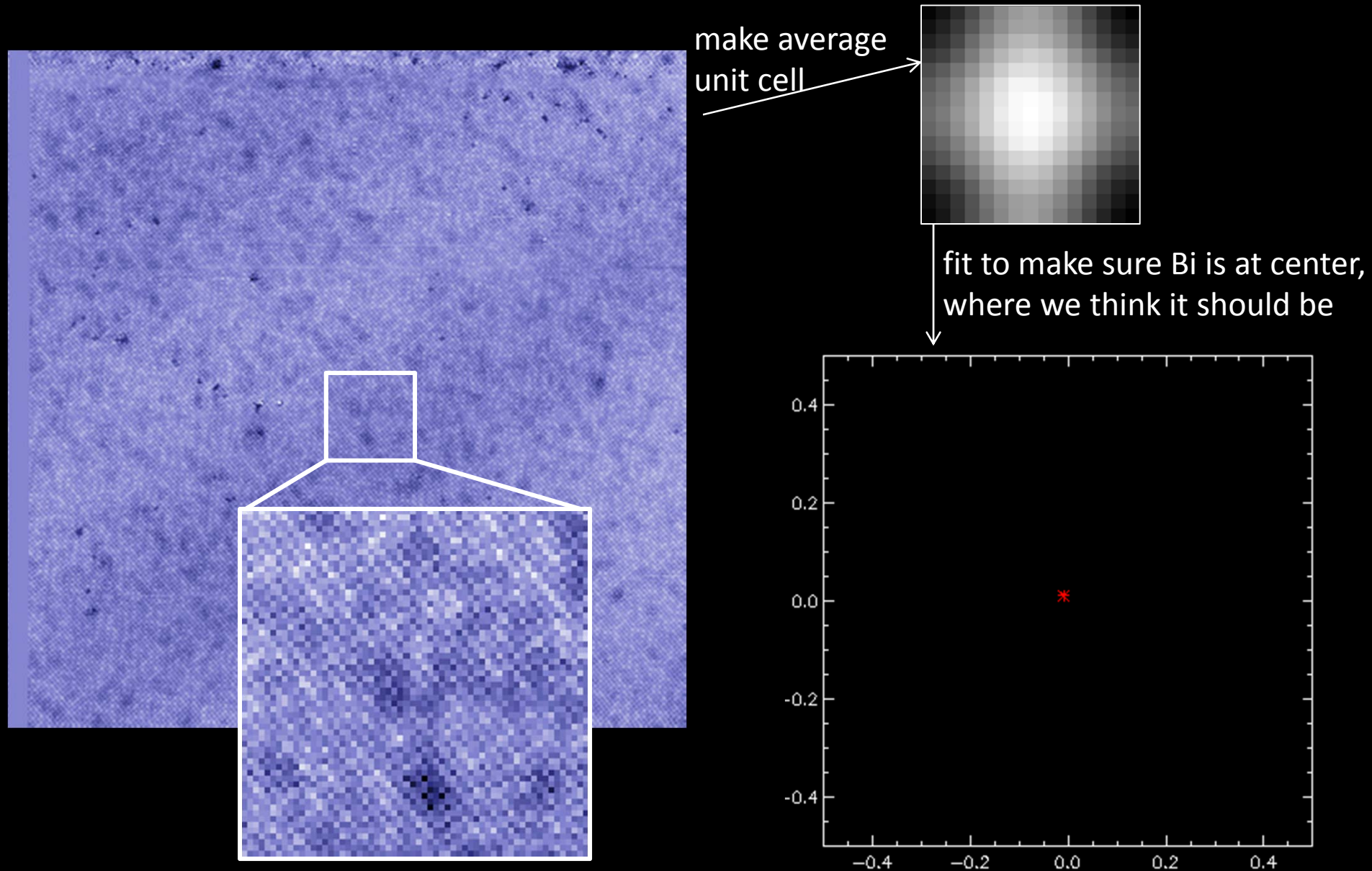
Make Average Unit Cell

(Bi-2201, $T_c=32\text{K}$, slightly underdoped)



Make Average Unit Cell

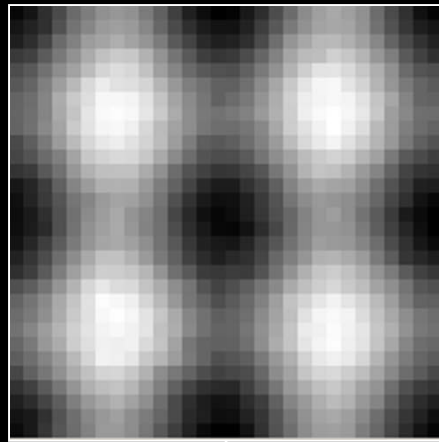
(Bi-2201, $T_c=32\text{K}$, slightly underdoped)



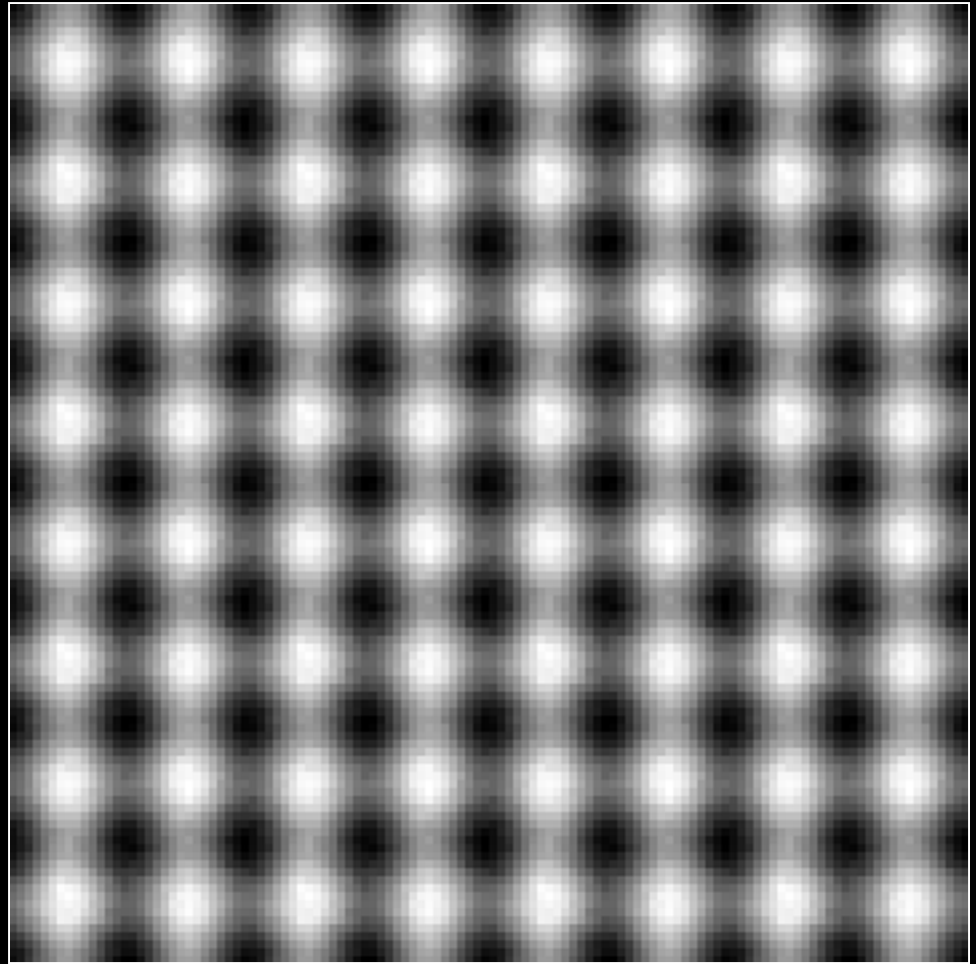
Make Average Supercell: 2x2



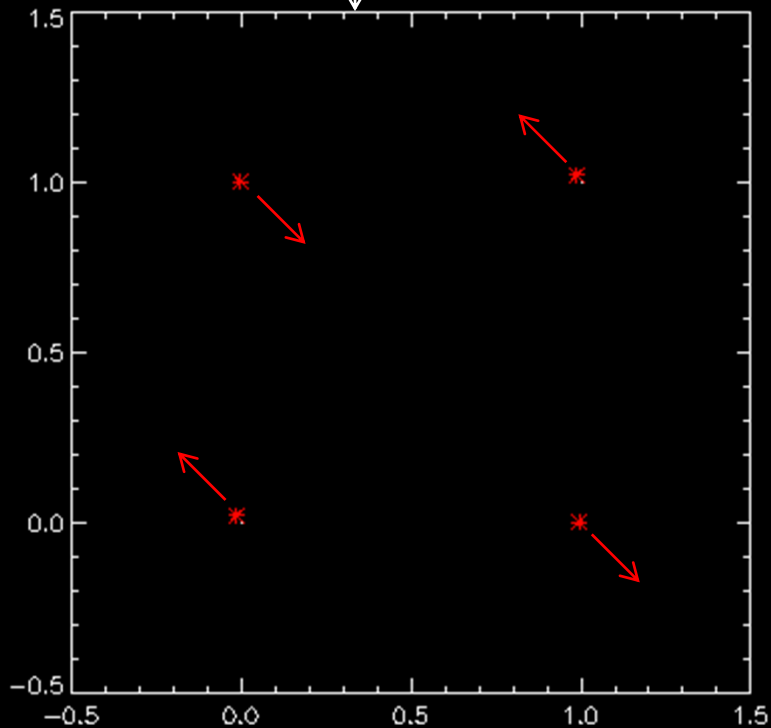
(Bi-2201, $T_c=32\text{K}$, slightly underdoped)



tiling



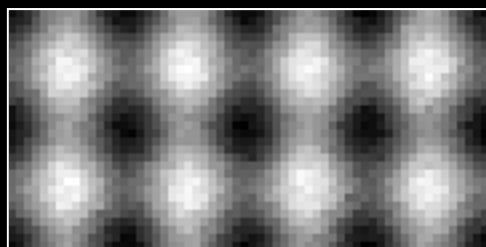
fit



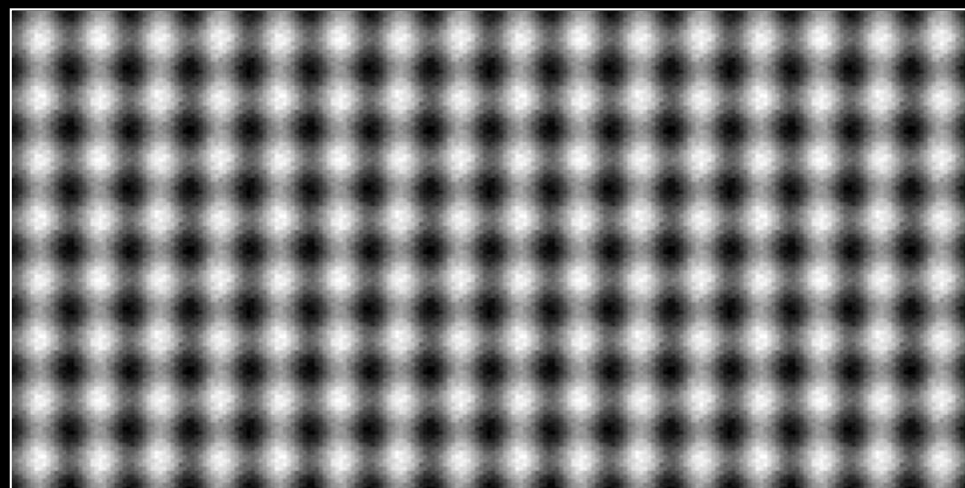
shift by $\sim 1\%$ of unit cell

Make Average Supercell: 4x2

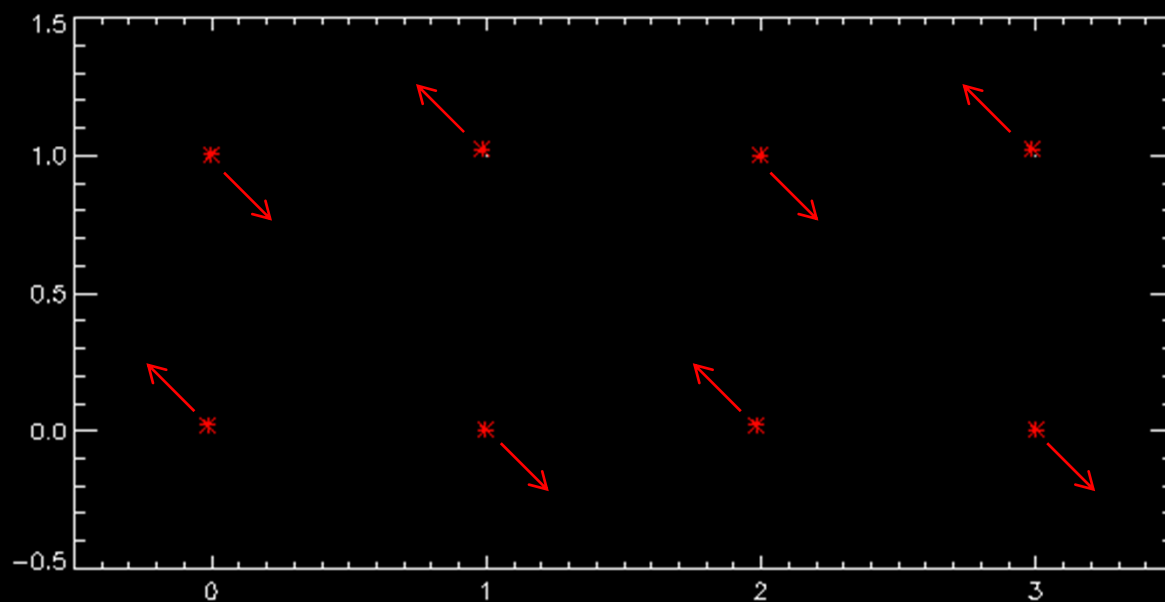
(Bi-2201, $T_c=32\text{K}$, slightly underdoped)



tiling



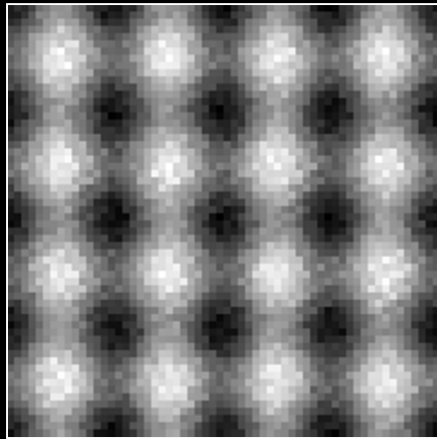
fit



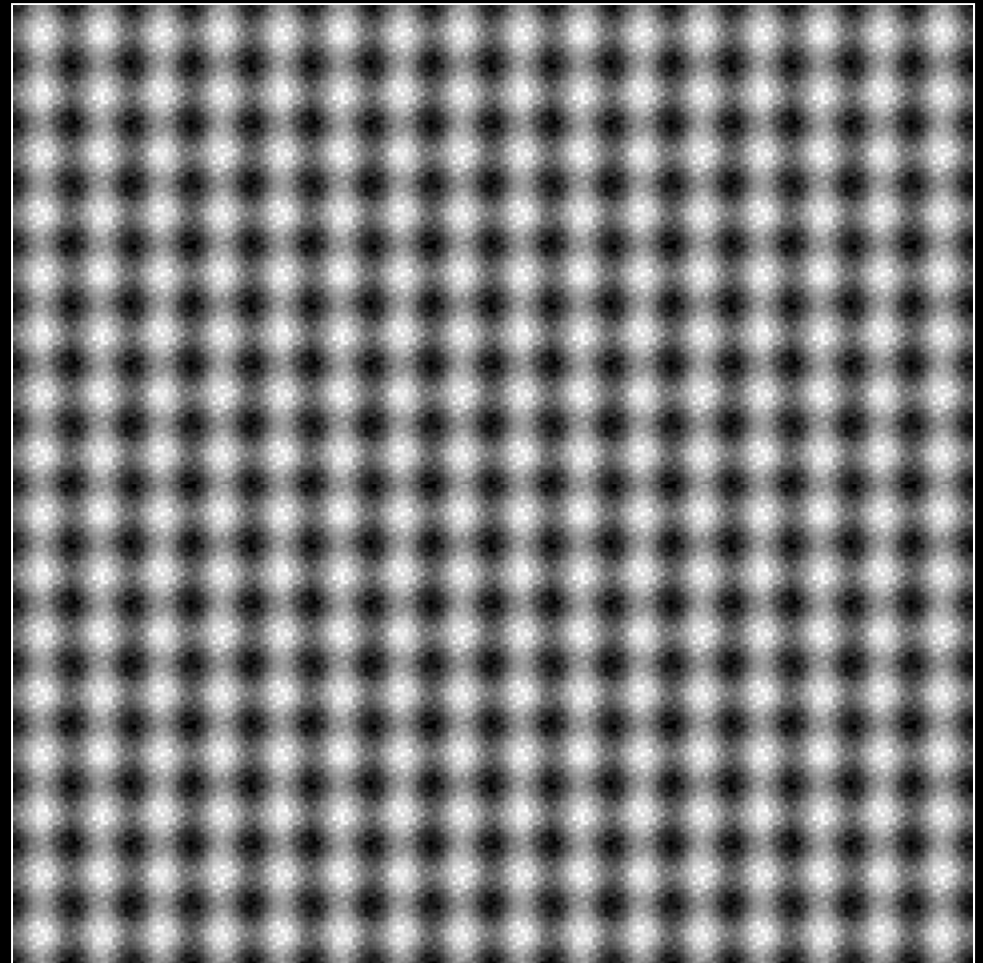
Make Average Supercell: 4x4



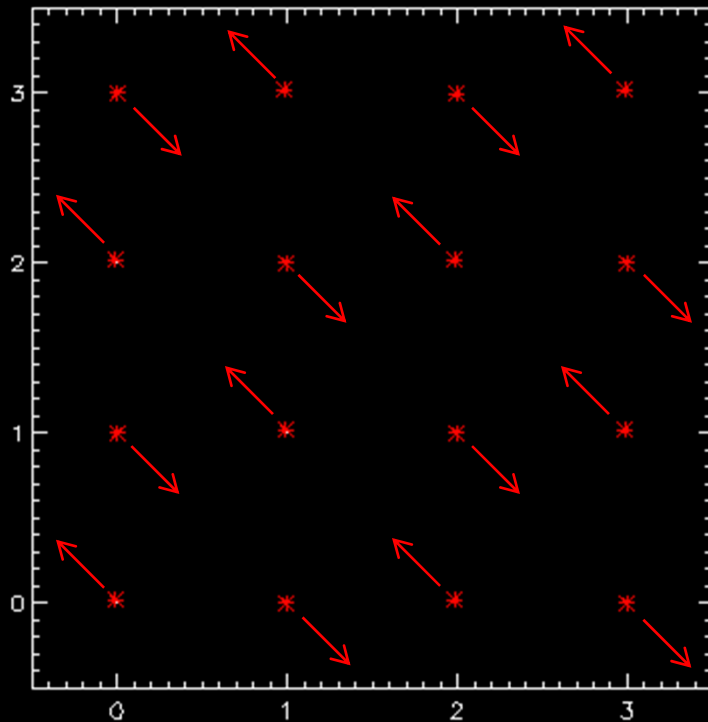
(Bi-2201, $T_c=32\text{K}$, slightly underdoped)



tiling



fit



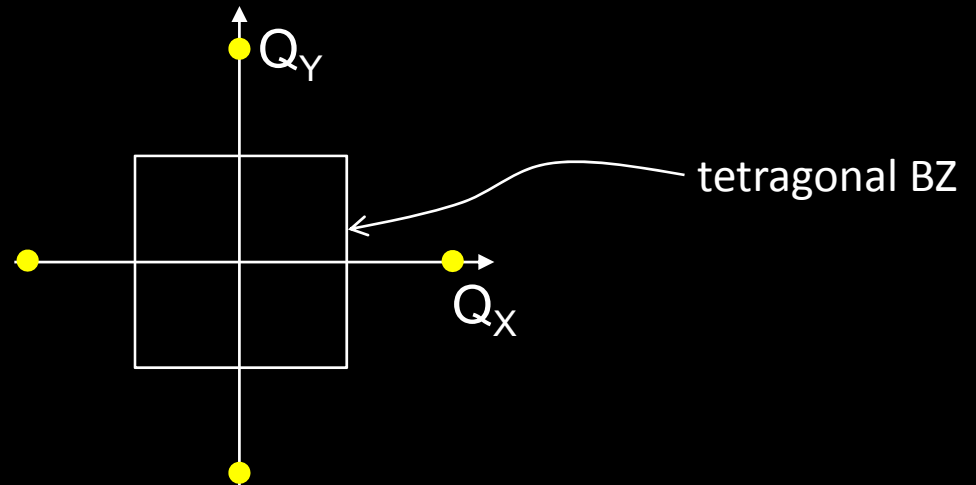
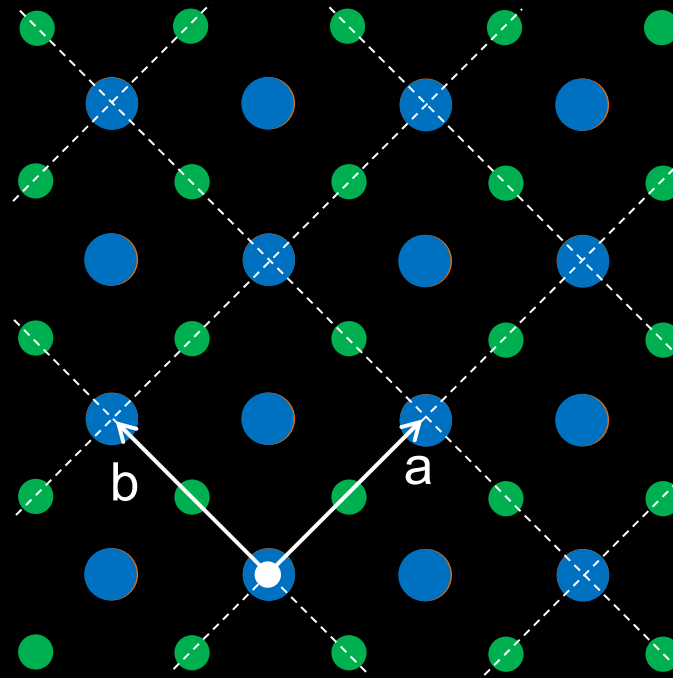
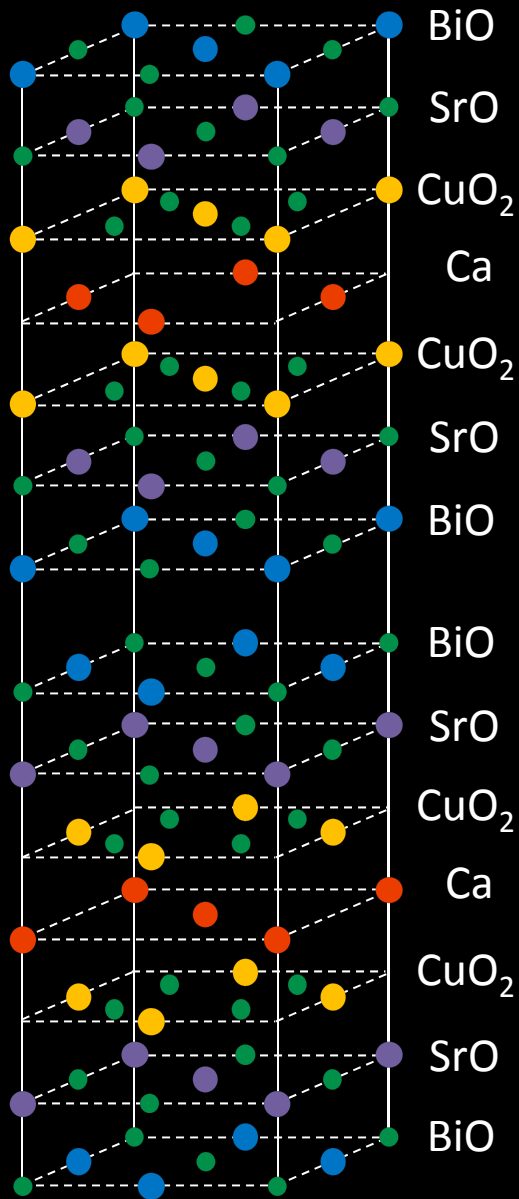
16 inequivalent sites:

average displacement: 1.1%

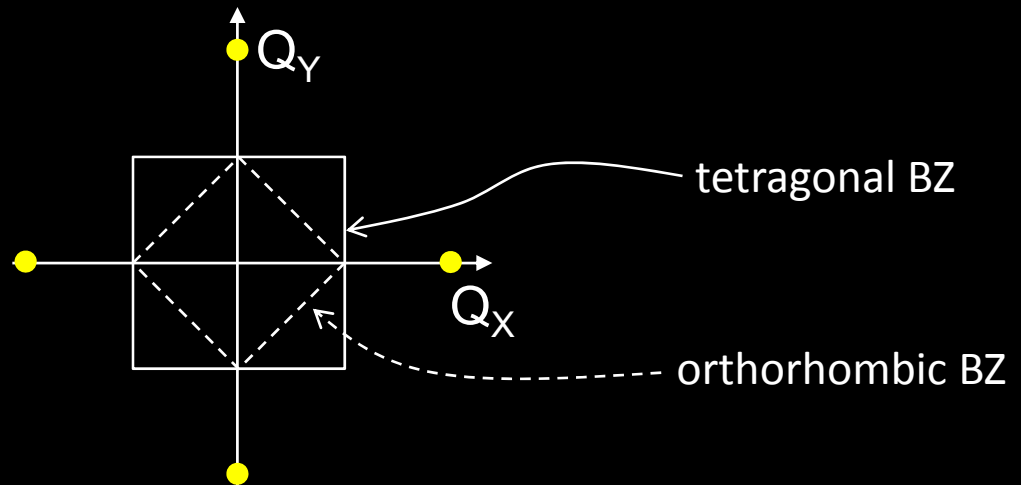
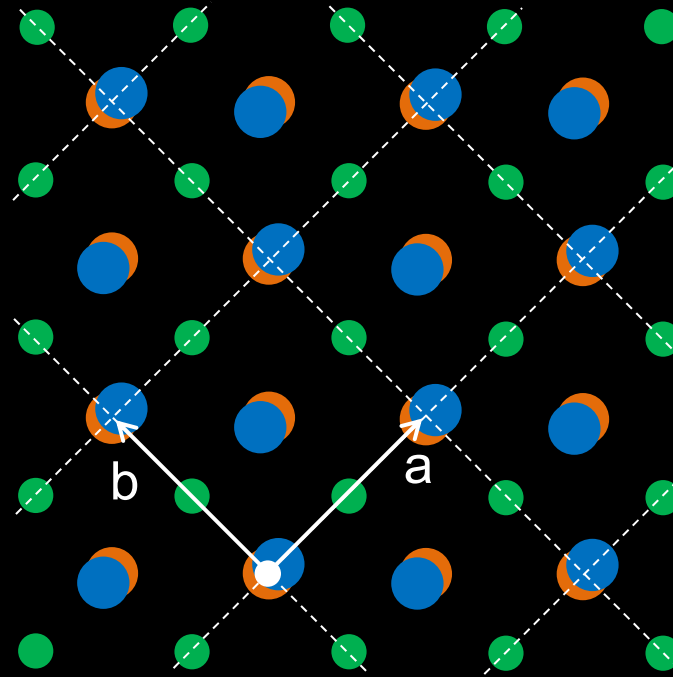
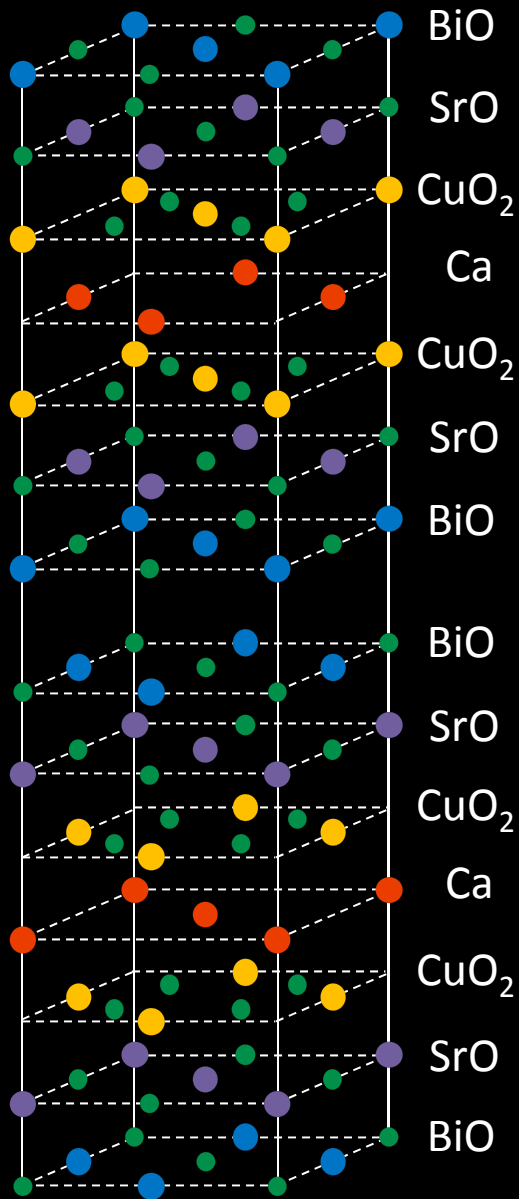
standard deviation: 0.36%

(error bar $\sim 1/3$ of effect \rightarrow inconsistent with zero)

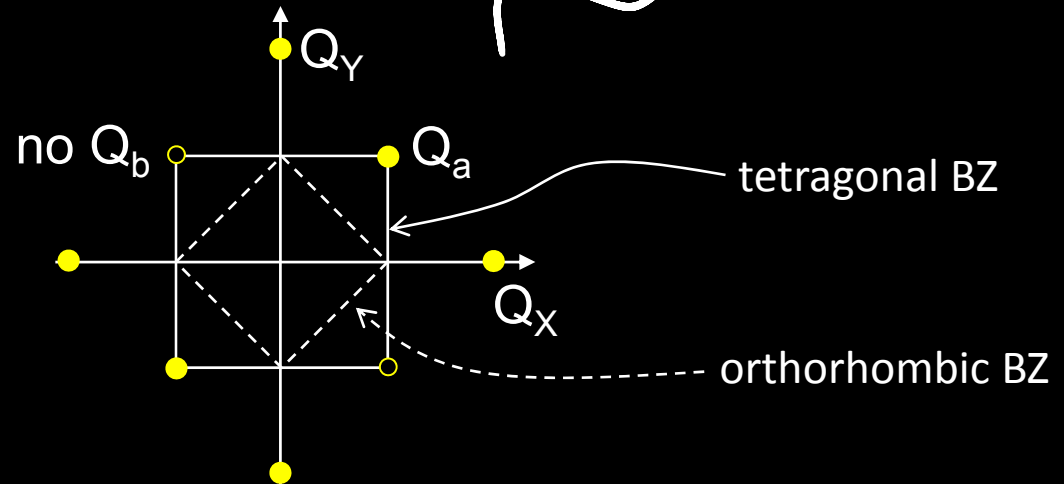
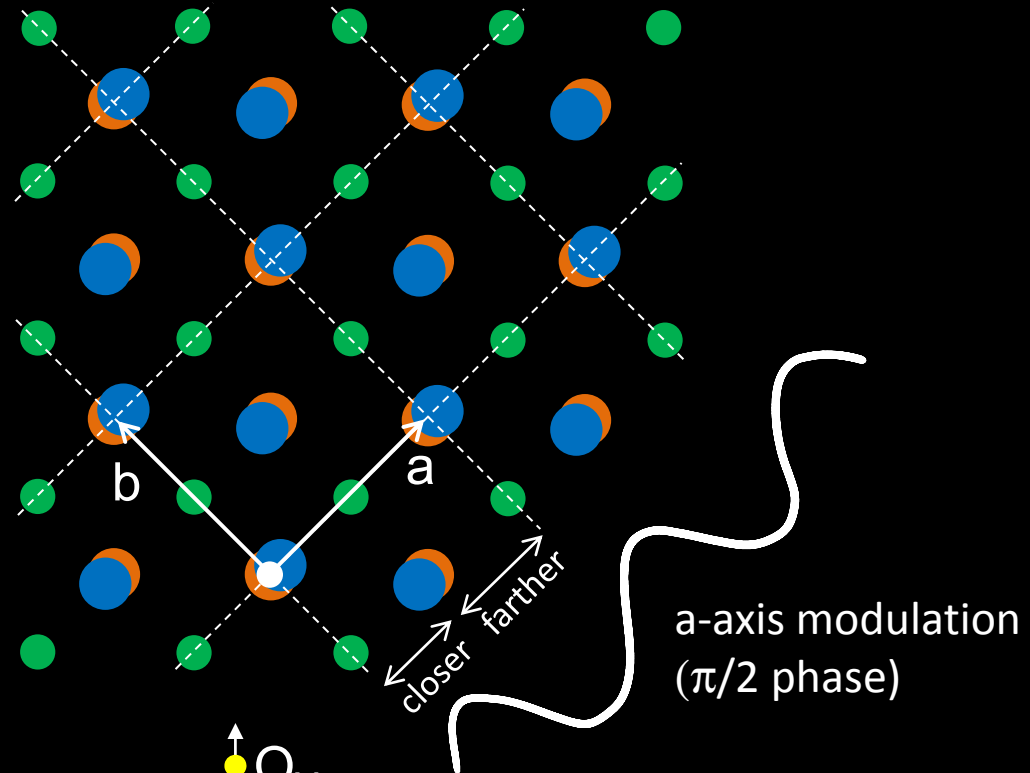
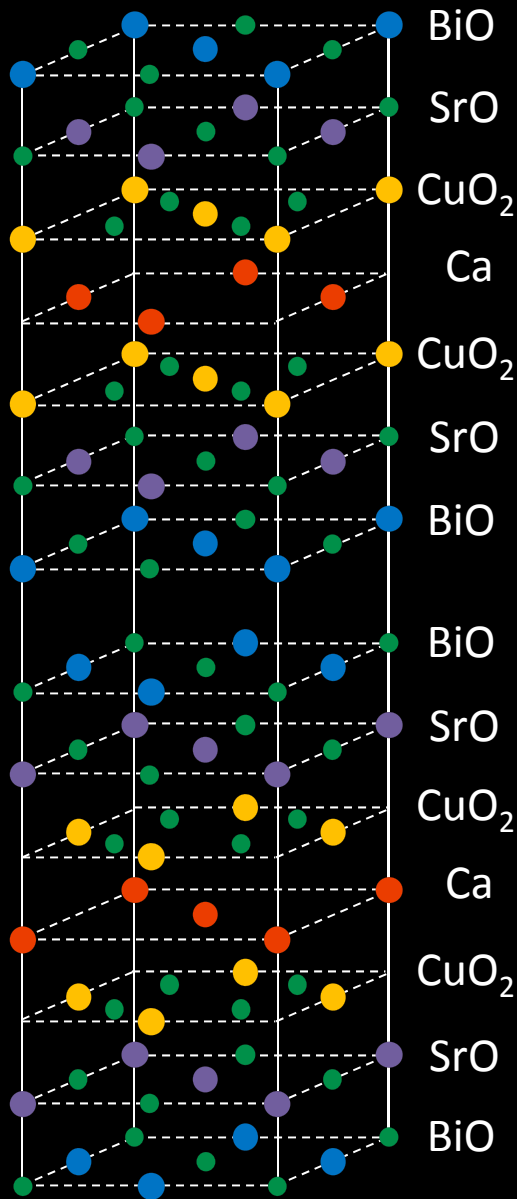
Crystal Structure



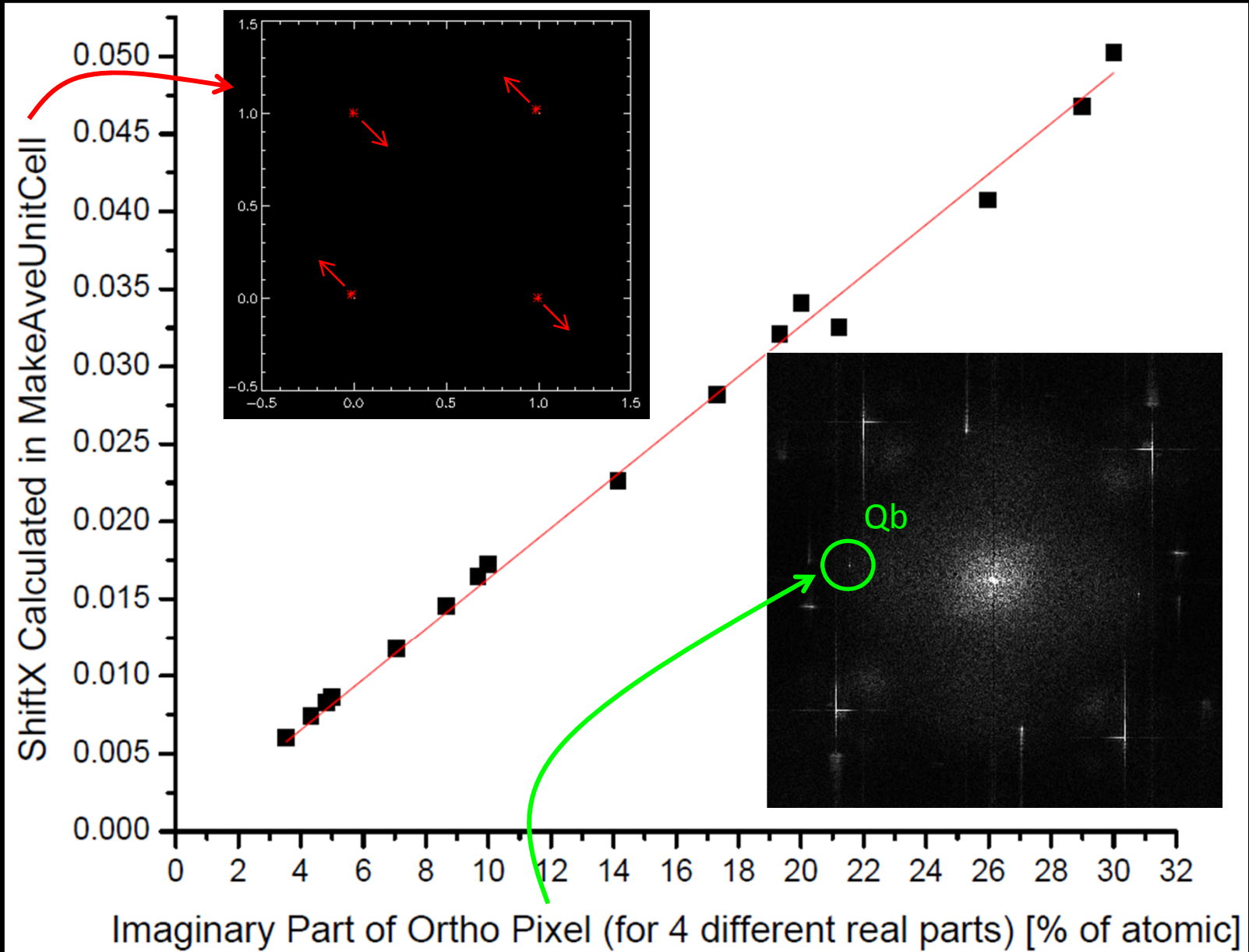
Crystal Structure



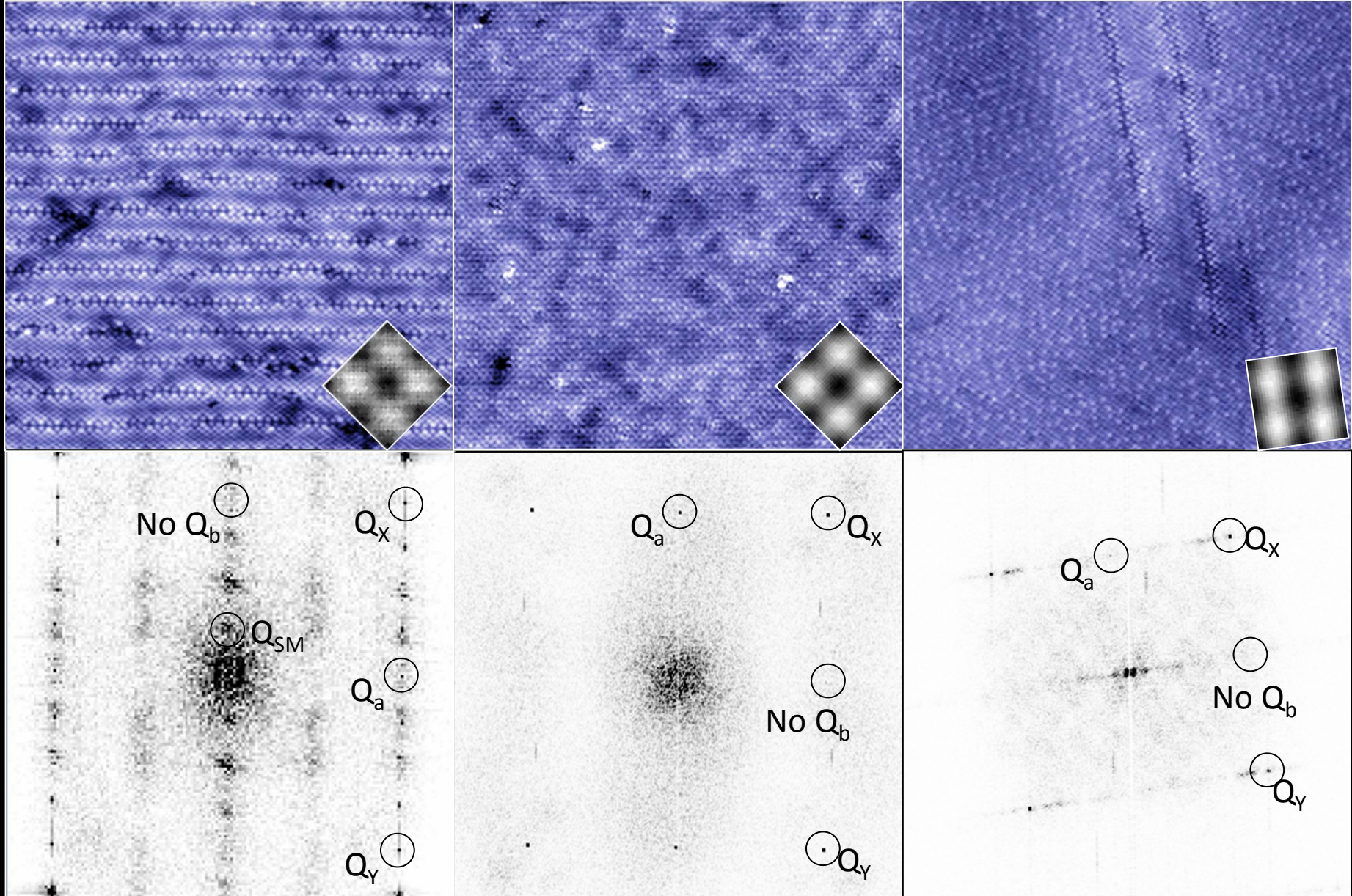
Crystal Structure



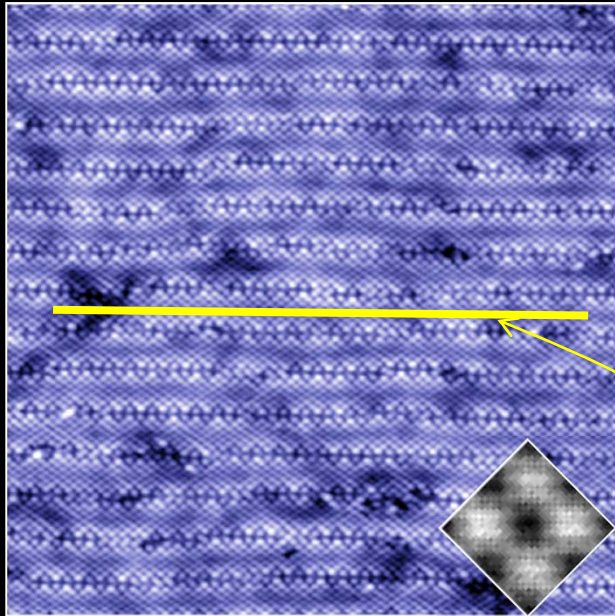
Back to q-space: does it check out?



Apply 2 methods to many samples



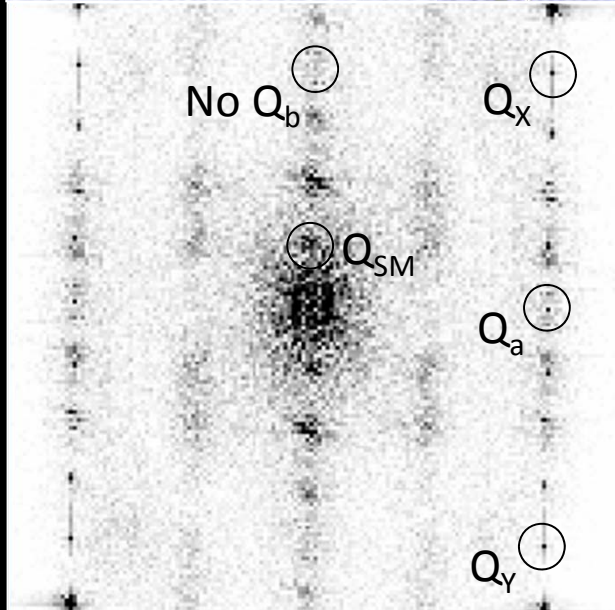
8 different Bi-2212 samples



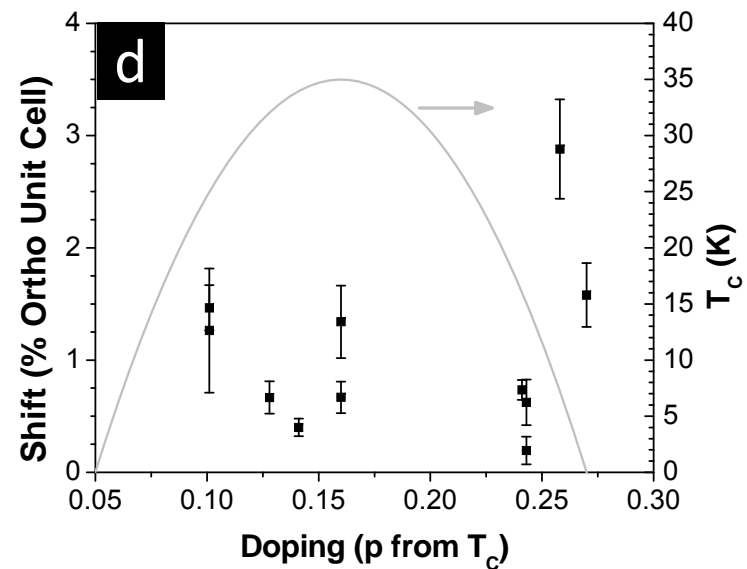
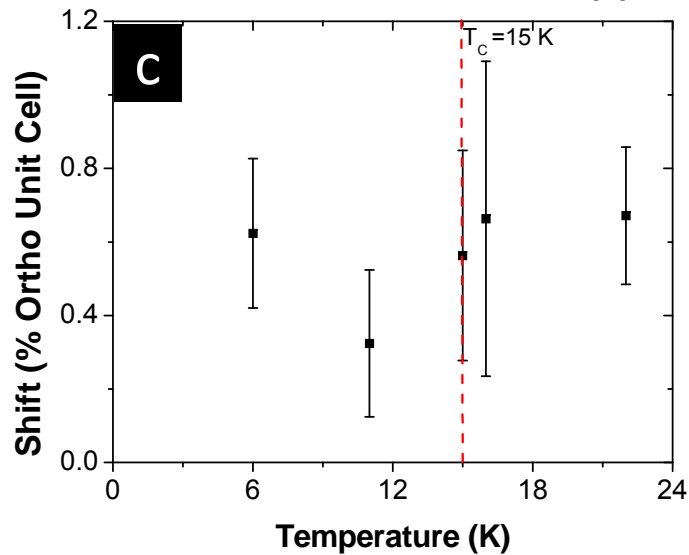
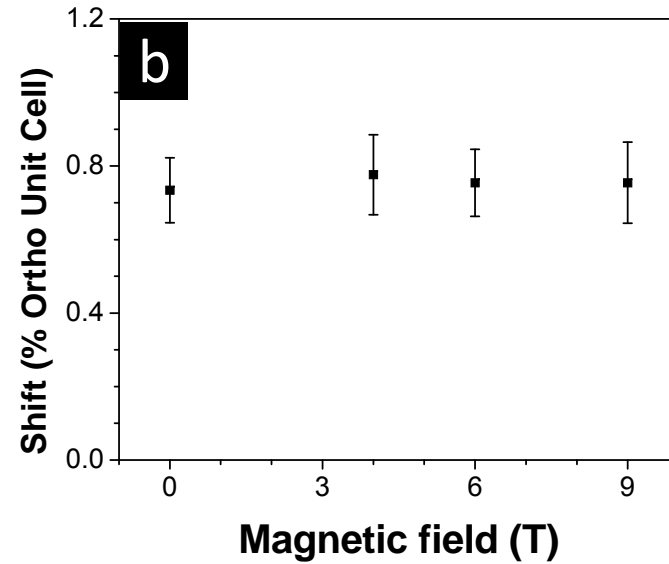
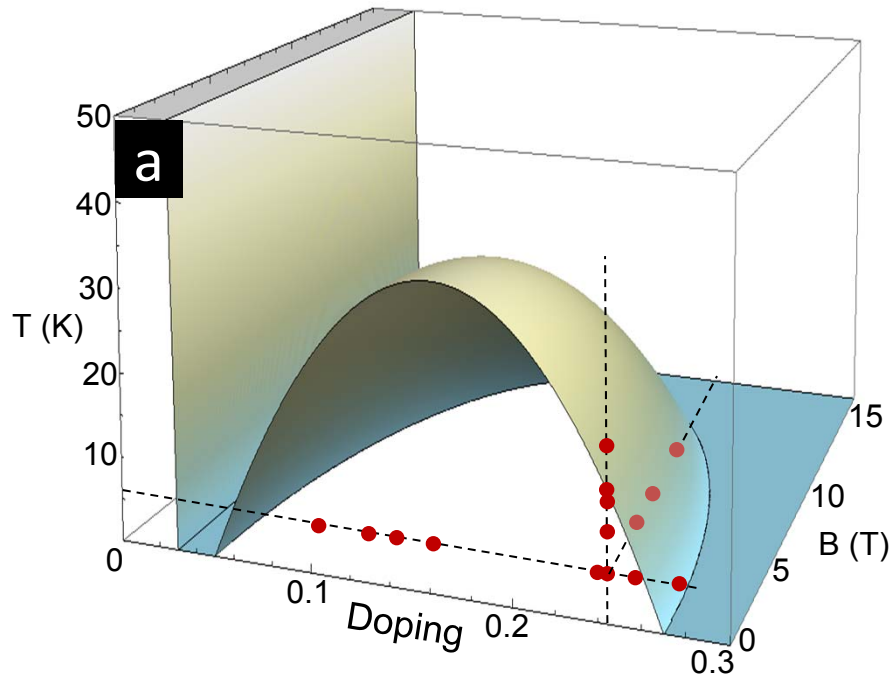
$Q_{SM} \equiv$ crystalline b axis

8 samples: ortho distortion along a axis

mirror plane always chooses this axis



Bi-2201 throughout the SC dome



Historical: Structure from Scattering

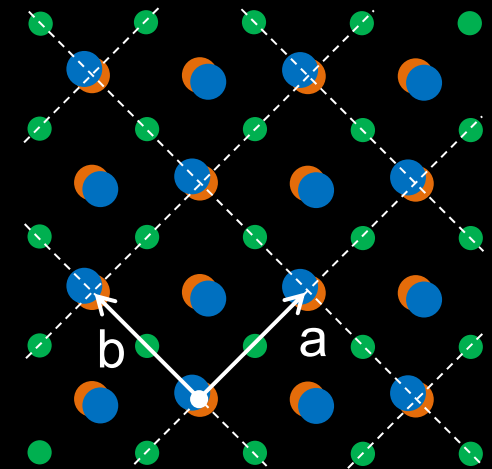
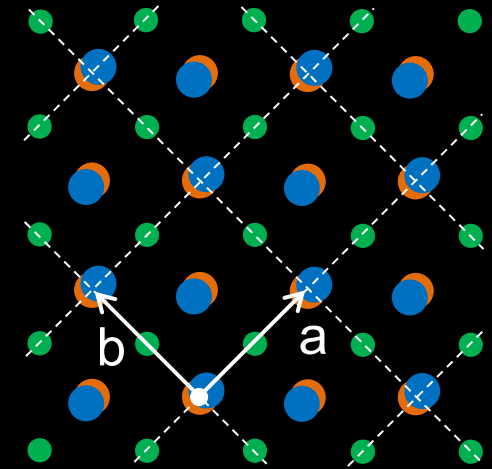
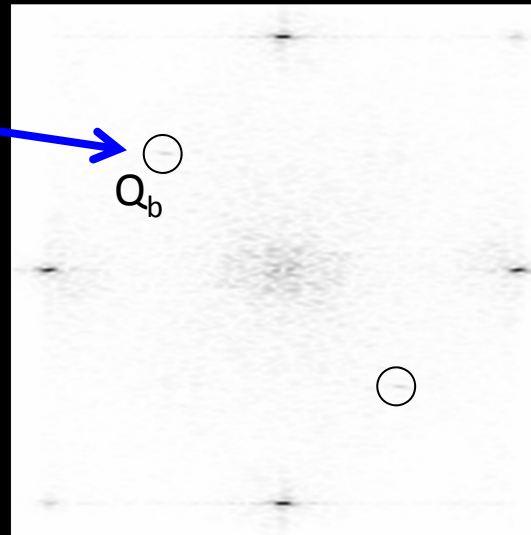
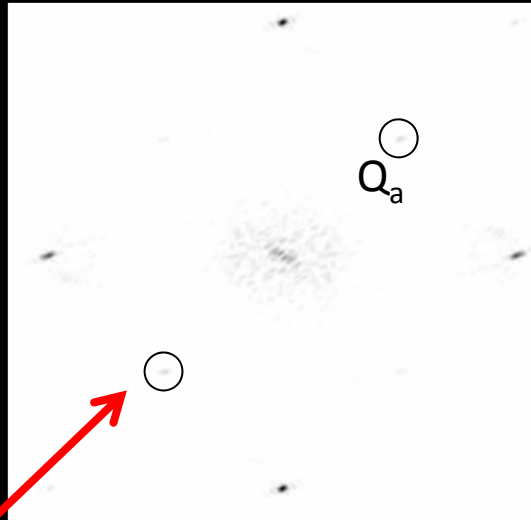
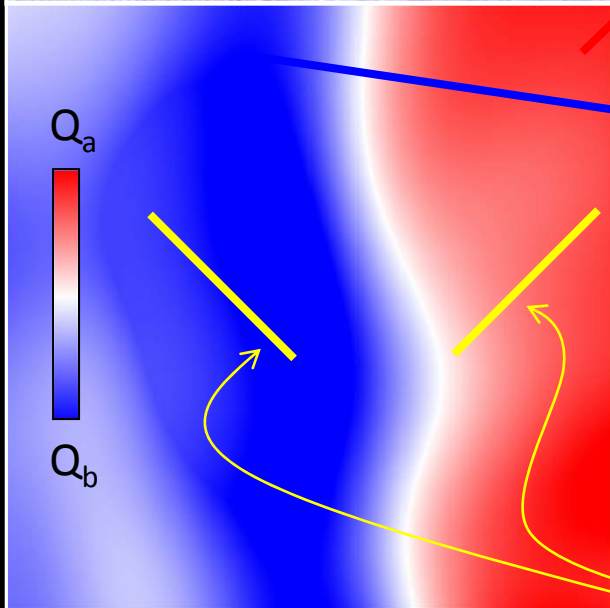
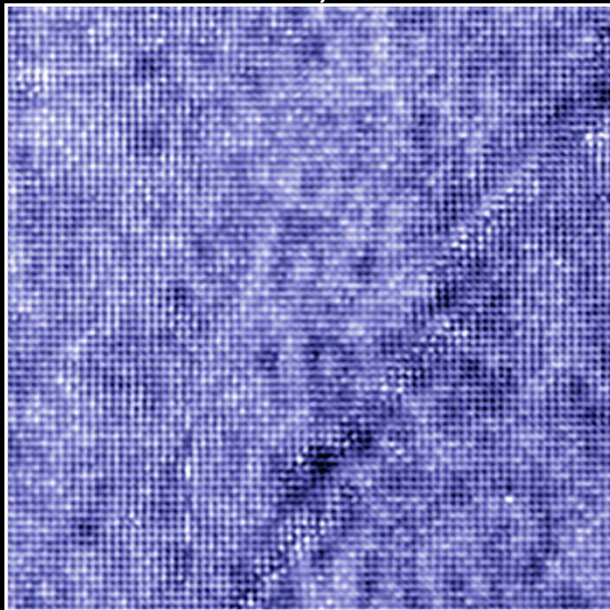


Material	Pb?	Technique	Bi distortion	Cu distortion	Ref
Bi-2223	no	XRD	2.22% (b axis)	-0.01% (b axis)	Subramanian, Science (1988)
Bi-2201	no	XRD	2.58% (b axis)	none	Torardi, PRB (1998)
Bi-2212	no	neutrons	2.55% (a axis)	-0.07% (a axis)	Miles, Physica C (1998)
Bi-2201	yes	XRD	1.82% (a axis) 6.34% (b axis)	none	Ito, PRB (1998)
Bi-2212	yes	XRD	1% (a axis) 1.65% (b axis)	2.57% (a axis) -0.02% (b axis)	Calestani, Physica C (1998)
Bi-2212	yes	XRD	1.1% (a axis) 1.53% (b axis)	0.08% (b axis)	Gladyshevskii, PBR (2004)
Bi-2201	yes and no	LEED, ARPES	one axis only	can't determine	Mans, PRL (2006)

STM adds: *LOCAL* symmetry determination



Bi-2201: $T_c=25K$, UD



local mirror planes!

Historical: Structure from Scattering



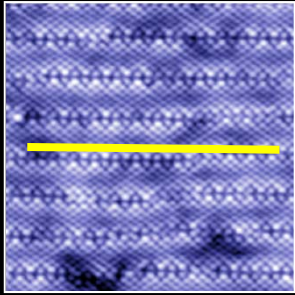
Material	Pb?	Technique	Bi distortion	Cu distortion	Ref
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In the absence of supermodulation, there can be twin boundaries
 → leads to the appearance of shifts along 2 axes

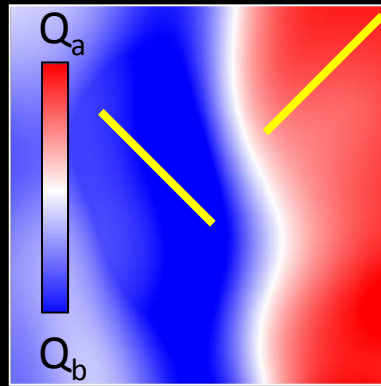
Conclusions



1. structural distortion in BiO plane breaks inversion symmetry at the Bi site, **but preserves mirror plane**



2. **mirror plane** is always aligned with supermodulation

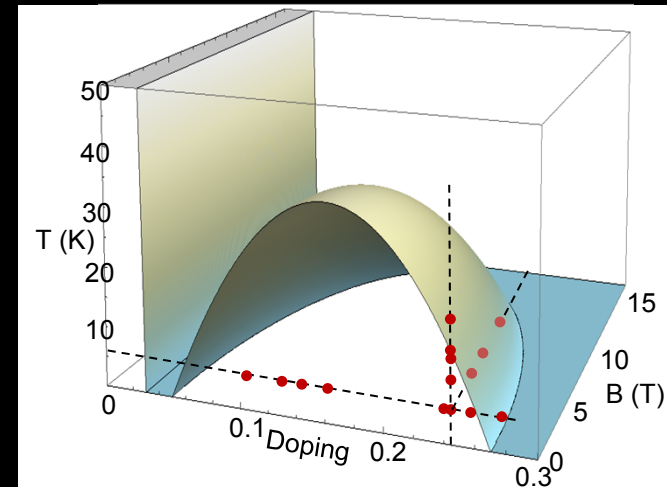
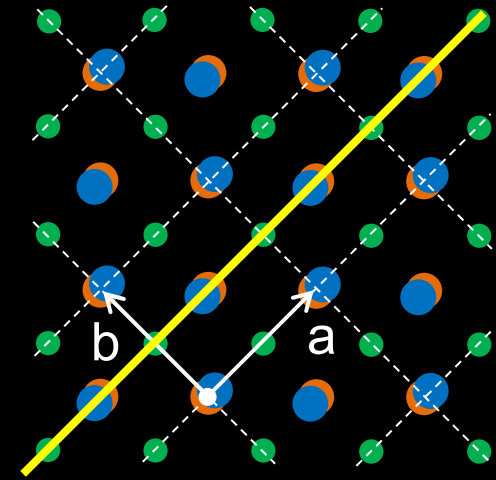


3. can image the **local mirror plane**

4. resolve long discrepancies in the bulk scattering literature:

- supermodulated samples → no ortho twinning;
- Pb-doped samples → can have ortho twinning

5. orthorhombic distortion present across large regions of Bi-2201 phase diagram



Implications



1. Algorithms: we extend Lawler's algorithm for 4 additional purposes
 - a. discriminating between noise (broadens) and signal (sharpens)
 - b. make average unit cell: can arbitrarily exchange large area for high resolution
 - c. make average supercell: can detect any commensurate modulation
 - d. use Fourier methods to locally track any structural modulation
2. Structural vs. electronic:
 - a. We also see inversion "symmetry breaking" in the electronic signal.
It appears larger than structural, but we haven't found a way to make ourselves confident that it is not a normalization artifact.
 - b. Investigations of local electronic "symmetry breaking" should take care to state which structural symmetries are already broken, and to compare the magnitudes of electronic and structural symmetry breaking.
 - c. If electronic "symmetry breaking" states just reinforce structural symmetries, but can be shown to follow T^* line, then of course they are important and interesting.